



Article

<https://doi.org/10.1038/s41467-023-41343-1>

Machine learning coarse-grained potentials of protein thermodynamics

Received: 2 June 2023

Accepted: 29 August 2023

Published online: 15 September 2023

Maciej Majewski ^{1,2,14}, Adrià Pérez ^{1,2,14}, Philipp Thölke ¹, Stefan Doerr²,
Nicholas E. Charron^{3,4,5}, Toni Giorgino ⁶, Brooke E. Husic^{7,8,9,10},
Cecilia Clementi ^{3,4,5,11} , Frank Noé ^{5,7,11,12}  & Gianni De Fabritiis ^{1,2,13} 

Group 6

2026.5.27

Contents

1. Background (齐麟仪)
2. Principles (朱辰旭)
3. Reproduce (谢家昊)
4. Results compare (曾爱晋)

Method: constructing **coarse-grained molecular potentials** based on **artificial neural networks** and grounded in **statistical mechanics**

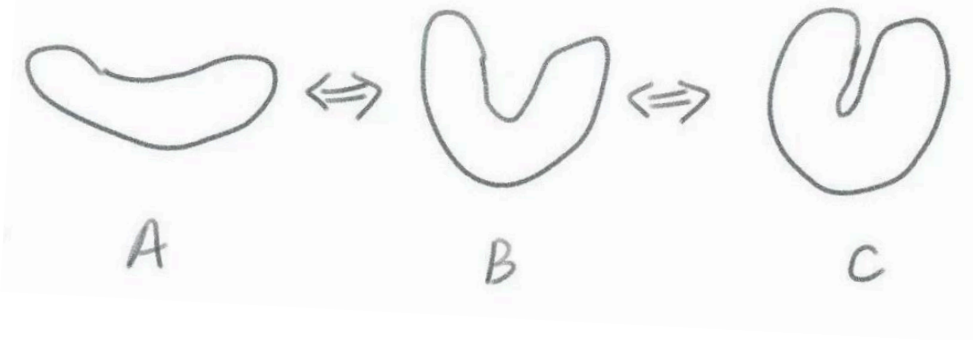
Dataset: all-atom molecular dynamics simulations of **9 ms** for **12 proteins**

Results:

- accelerating the dynamics by **more than three orders of magnitude**
- preserving the thermodynamics of the systems
- **Universality:** a single coarse-grained potential can integrate all 12 proteins

Background: 3 aspects of protein dynamics

- Conformational state



- Thermodynamics: relative probabilities

A: ? % B: ? % C: ? %

- Kinetics: rates of conversion



Background: coarse-graining

Problem: Describing longer-timescale events

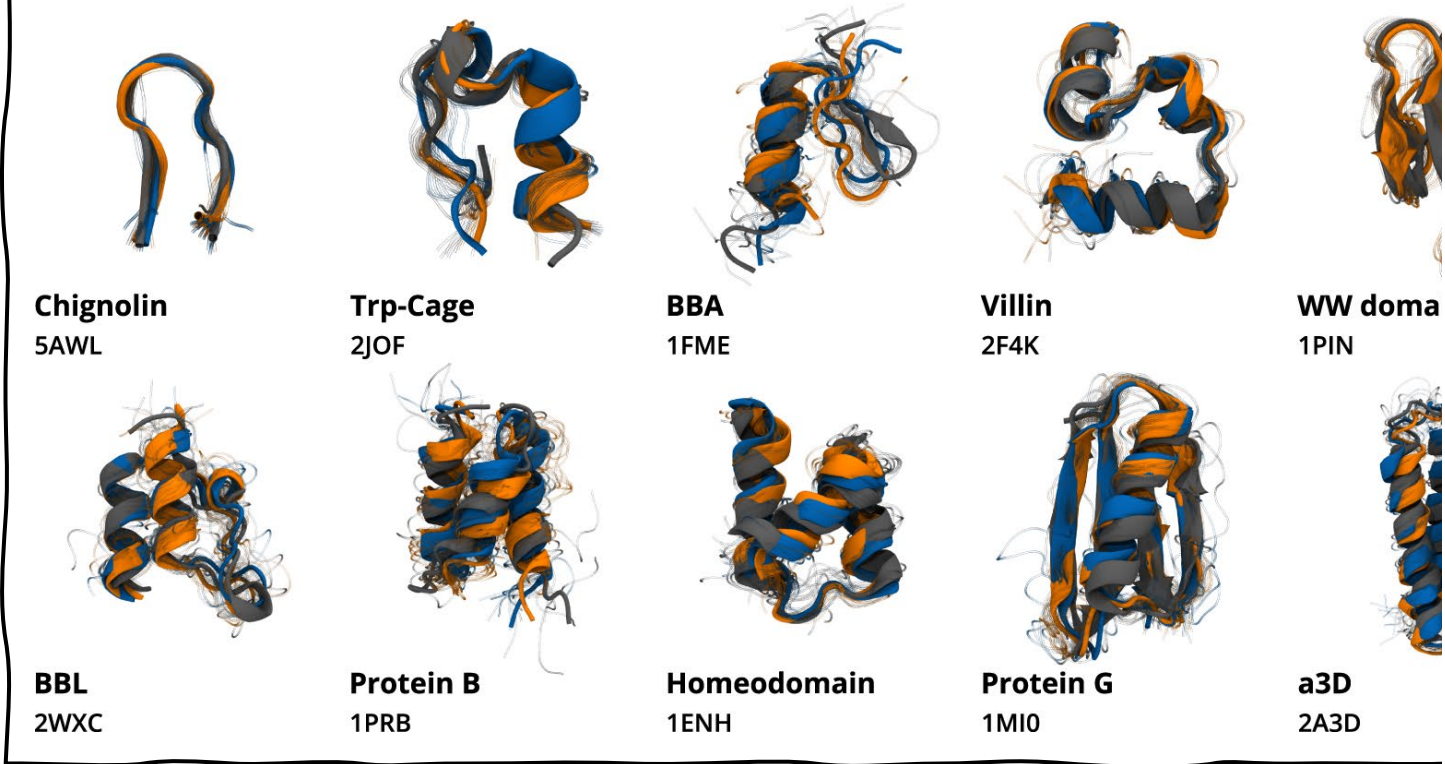
Solutions:

- sampling methods—optimize trajectory
- **coarse-graining (CG)**—simplify system

a CG model { 1. selection of the CG resolution (or mapping) ✓
2. **design of an effective energy function** !

Dataset: twelve fast-folding proteins

Fig. 1: Comparison of simulated and experimental protein s



Protein	Sequence length (#aa)	Aggregated time (μ s)	Min. RMSD ($\text{\AA}$)
Chignolin	10	186	0.15
Trp-Cage	20	195	0.45
BBA	28	362	1.13
WW-Domain	34	1362	0.73
Villin	35	234	0.47
NTL9	39	776	0.32
BBL	47	677	1.55
Protein B	47	608	1.19
Homeodomain	54	198	0.56
Protein G	56	2266	0.55
α 3D	73	768	1.81
λ -repressor	80	1422	0.82

experimental structures

CG simulations of the: protein-specific model / multi-protein model

Contents

1. Background (齐麟仪)

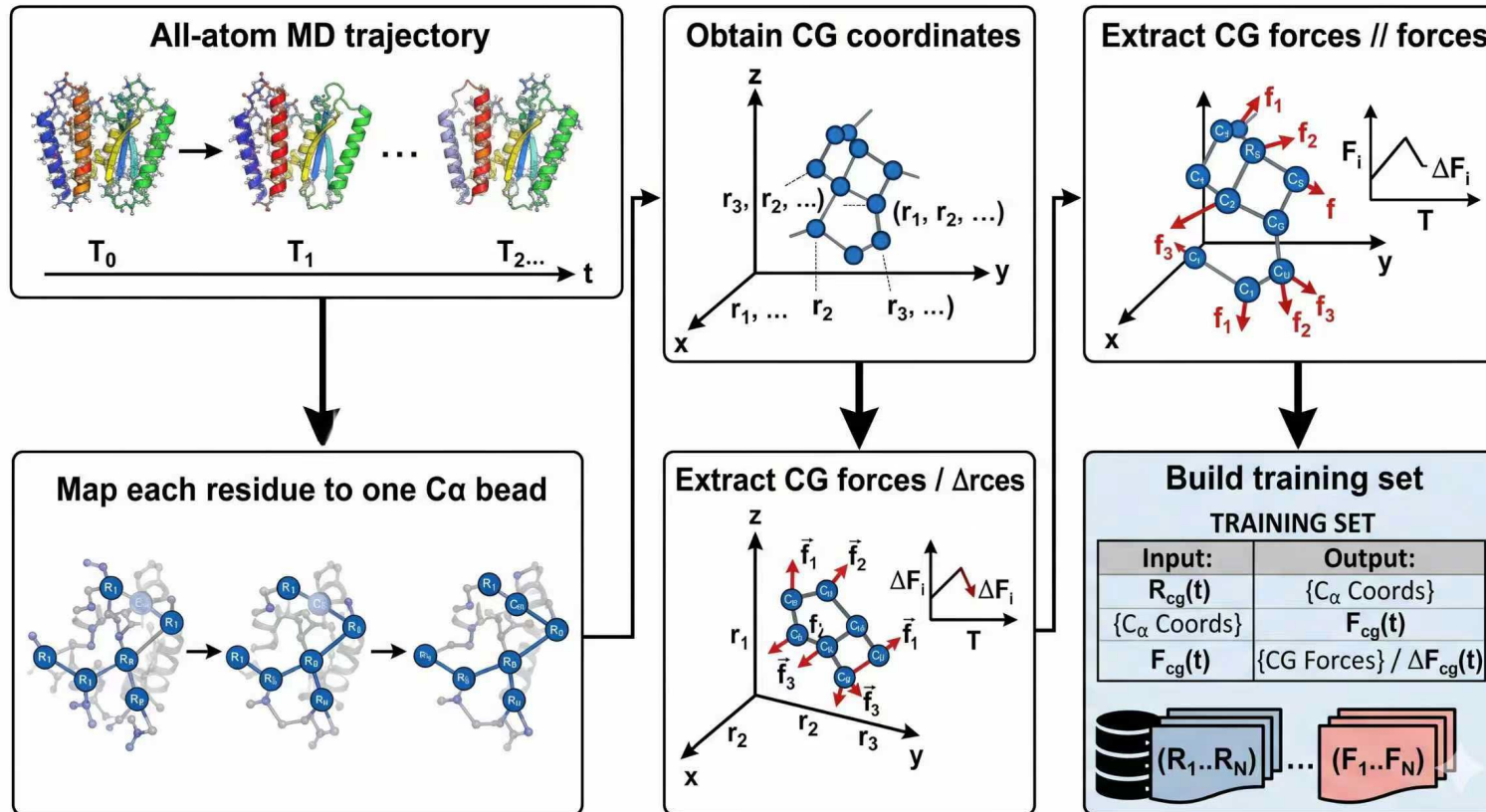
2. Principles (朱辰旭)

3. Reproduce (谢家昊)

4. Results compare (曾爱晋)

Core idea: AI-based coarse-graining

Goal: Learn a coarse-grained potential that preserves protein thermodynamics.



- ① Each amino acid is represented by **one C α bead**
- ② 21 bead types are used to encode amino acid identity
- ③ The CG model reduces degrees of freedom and accelerates simulation
- ④ Prior energy terms constrain physically unreasonable structures

All-atom protein $\rightarrow$ C α beads $\rightarrow$ CG protein model

Charron et al., 2025, *Navigating protein landscapes with a machine-learned transferable coarse-grained model*, Nature Chemistry

Physical priors: keeping CG proteins reasonable

V_{prior}

- ① * bond length
- ② * angle / dihedral
- ③ * repulsion
- ④ * chirality / structural prior

$$V_{\text{bonded}}(r) = k(r - r_0)^2 + V_0$$

$$V_{\text{repulsive}}(r) = 4\epsilon r^{-6} + V_0$$

$$V_{\text{dihedral}}(\phi) = \sum_{n=1,2} k_n (1 + \cos(n\phi - \gamma_n))$$

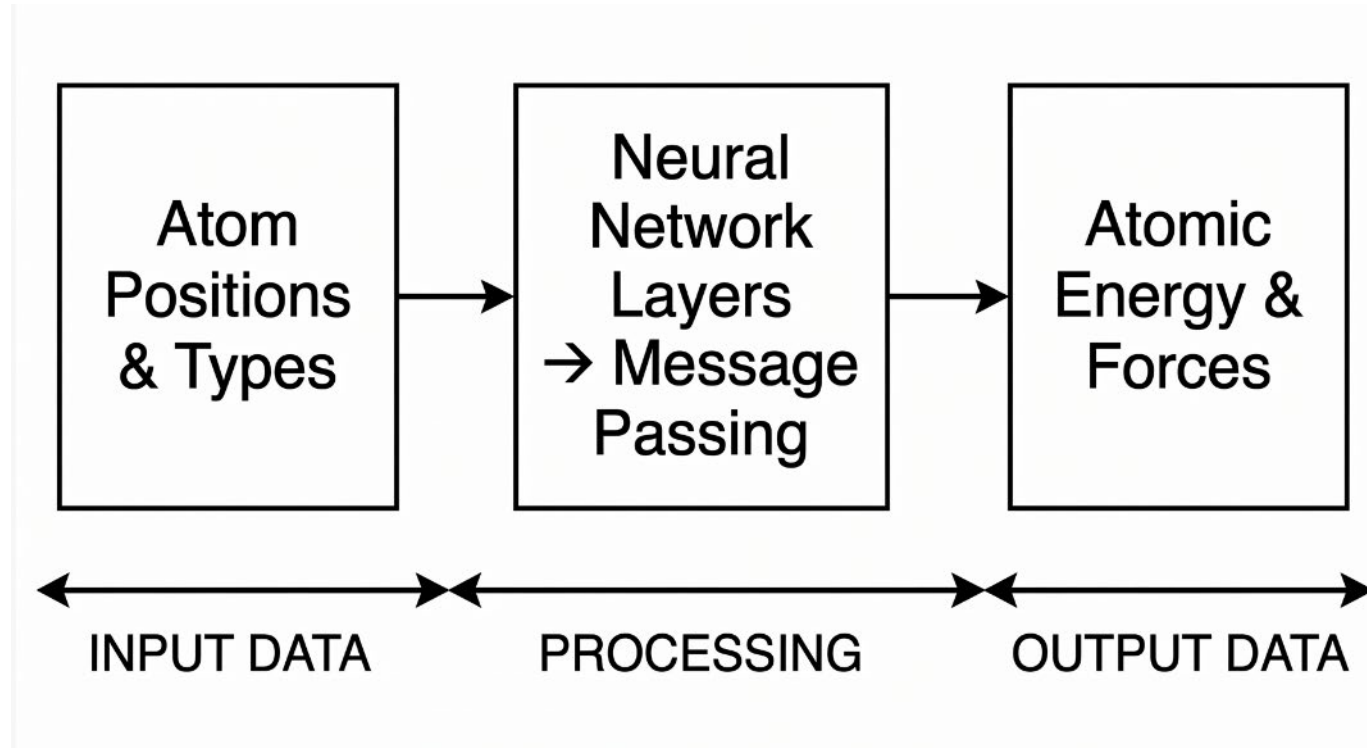
$$V_{\text{CG}} = V_{\text{prior}} + V_{\text{NNP}}$$

$$V_{\text{prior}} = V_{\text{bonded}} + V_{\text{repulsive}} + V_{\text{dihedral}}$$

Model:

TorchMD-GN, a graph neural network inspired by SchNet and PhysNet

The coarse-grained protein is represented as a molecular graph. Each bead is a node, and spatial distances between neighboring beads define the graph edges.



SchNet architecture

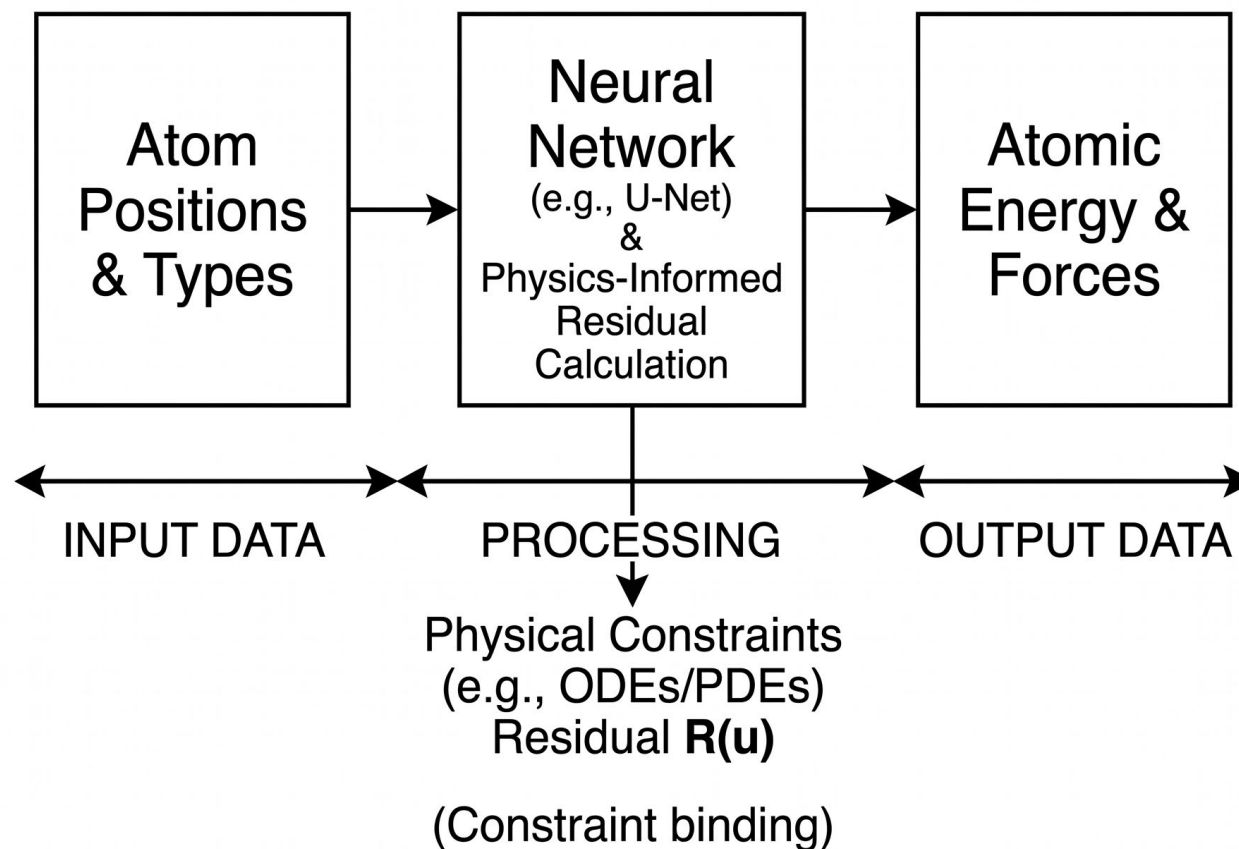
Schütt et al., 2017, *SchNet: A continuous-filter convolutional neural network for modeling quantum interactions*, NeurIPS.

Model:

TorchMD-GN, a graph neural network inspired by SchNet and PhysNet

The coarse-grained protein is represented as a molecular graph. Each bead is a node, and spatial distances between neighboring beads define the graph edges.

PhsNet architecture



Neural network potential: **how the model learns**

Learning Energy and Forces from a Coarse-Grained Protein Graph

Bead type + bead coordinates



TorchMD-GN



CG potential energy $V_{\text{NN}}(\mathbf{x})$



Forces by gradient: $\mathbf{F} = -\nabla V$

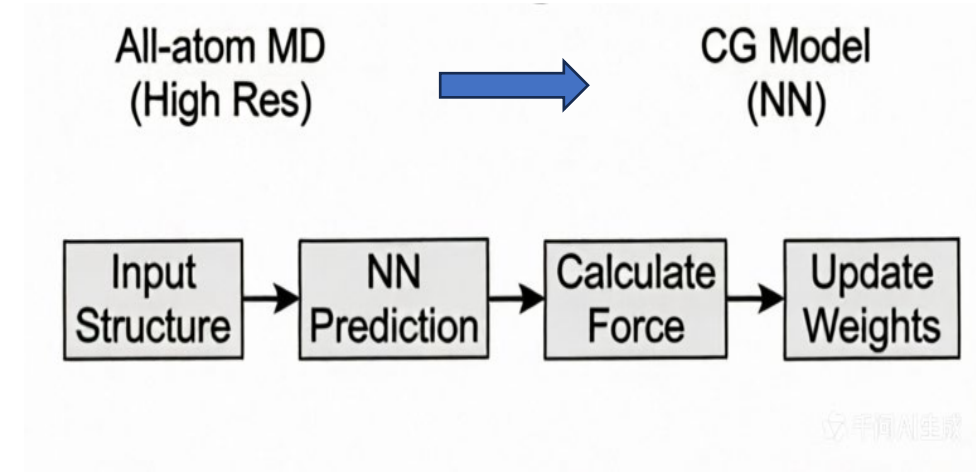


CG molecular dynamics

α beads as nodes $\rightarrow$ message passing $\rightarrow$ energy $V \rightarrow$ force $\mathbf{F}$

Training strategy: force matching

- Training objective: Match coarse-grained forces to all-atom MD forces.
- Training data: ~9 ms all-atom MD simulations
- Temperature: 350 K
- Force field: CHARMM22*
- The model learns forces mapped from all-atom MD to CG space
- Two model settings were tested:
 - protein-specific models
 - one multi-protein model



**All-atom MD trajectories → map to C α beads → force matching
→ trained NNP → CG simulation**

Evaluation: from CG trajectories to thermodynamic landscapes

- **RMSD**

$$\text{RMSD} = \sqrt{\frac{1}{N} \sum_{i=1}^N \delta_i^2}$$

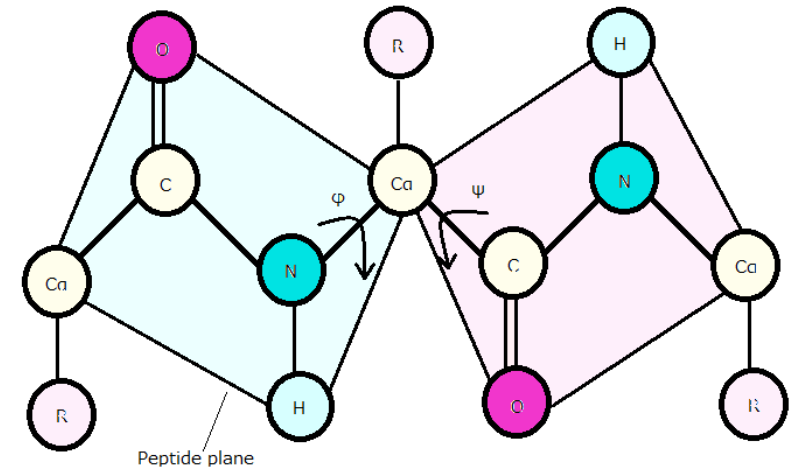
where δ_i denotes the distance between the same $\text{C}\alpha$ in the reference structure and the structure calculated. N is the number of the $\text{C}\alpha$ atoms

- **Markov State Model:**

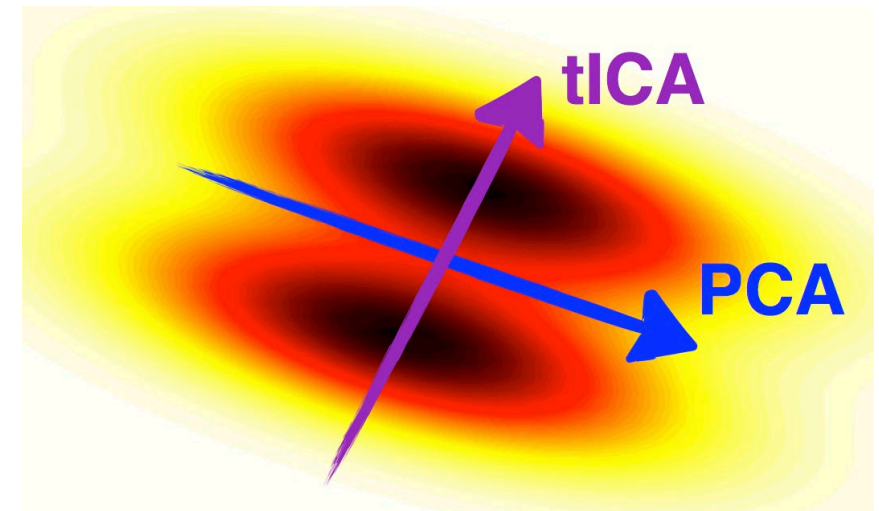
The transition probability matrix $P(\tau)$, whose elements are given by $P_{ij}(\tau)$ and describe the transition probabilities from state i to state j in a time τ .

$$\pi_i P_{ij} = \pi_j P_{ji}$$

where π_i denotes the stationary probability of state i . P_{ij} is the transition probability to state j based on state i .



<http://cib.cf.ocha.ac.jp/bitool/DIHED2/#:~:text=A%20dihedral%20angle%20of%20a,all%20in%20a%20single%20plane.>



<http://msmbuilder.org/3.3.0/tica.html>

Dataset: The training dataset contains approximately 9 ms of unbiased all-atom MD simulations from 12 fast-folding proteins with diverse secondary structures.



Chignolin
5AWL



Trp-Cage
2JOF



BBA
1FME



Villin
2F4K



WW domain
1PIN



NTL9
2HBA



BBL
2WXC



Protein B
1PRB



Homeodomain
1ENH



Protein G
1MI0



a3D
2A3D



λ-repressor
1LMB

Contents

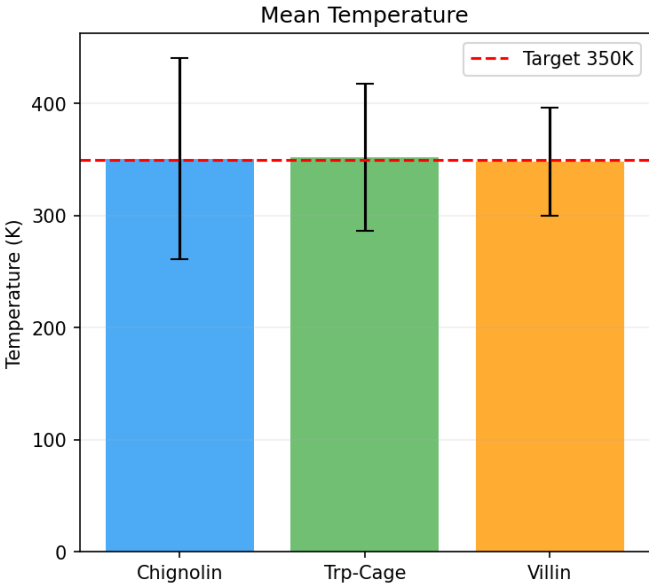
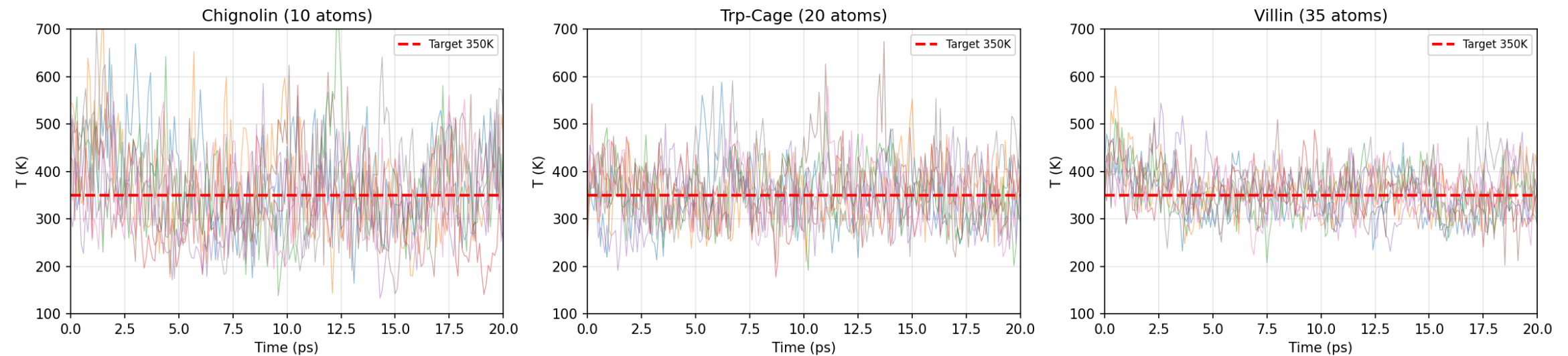
1. Background (齐麟仪)
2. Principles (朱辰旭)
3. Reproduce (谢家昊)
4. Results compare (曾爱晋)

CG-MD Protein Thermodynamics Pipeline



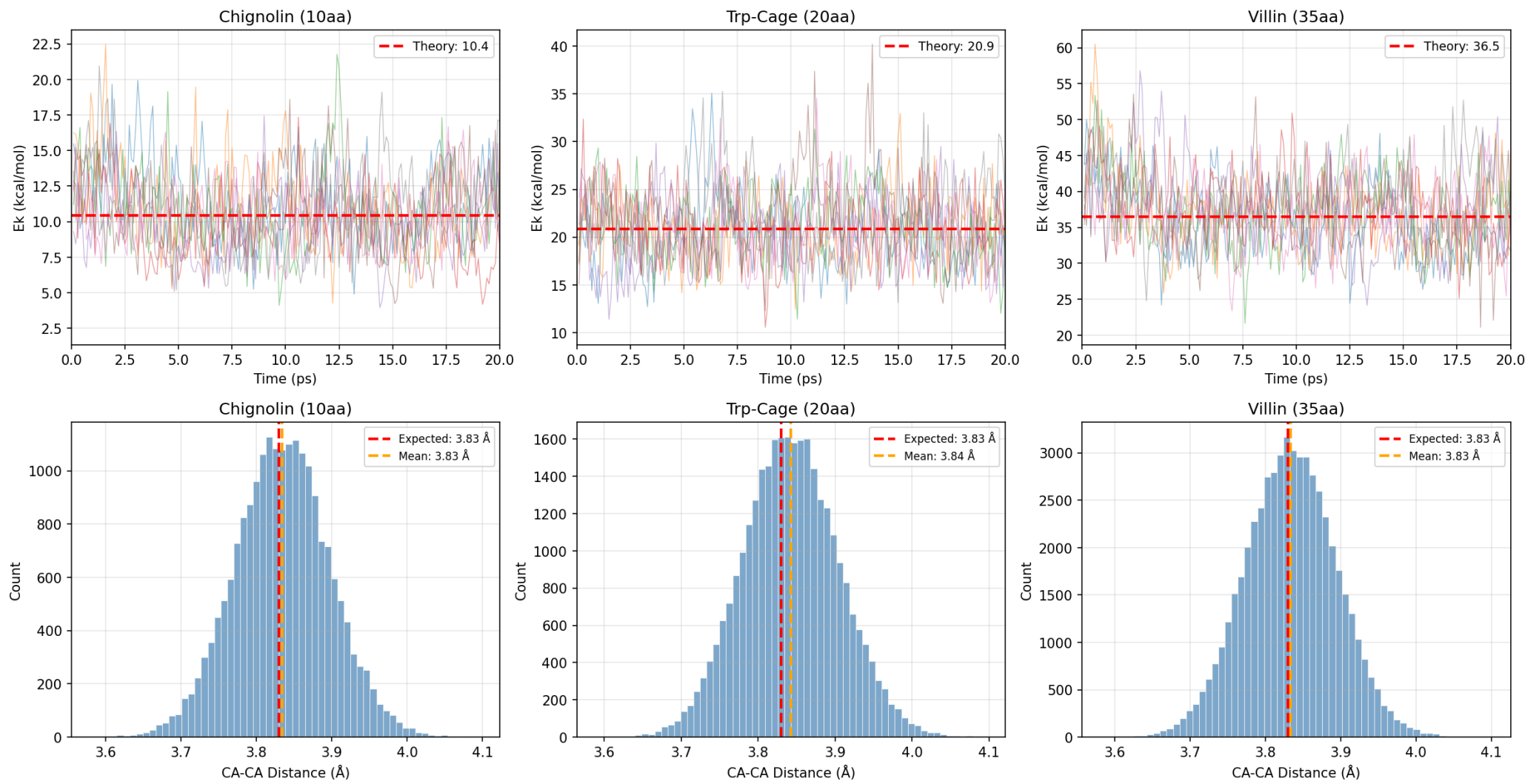
Simulation Setup & Quality Validation: Precise Thermodynamic Stability

Temperature Convergence (first 20 ps, all replicas)



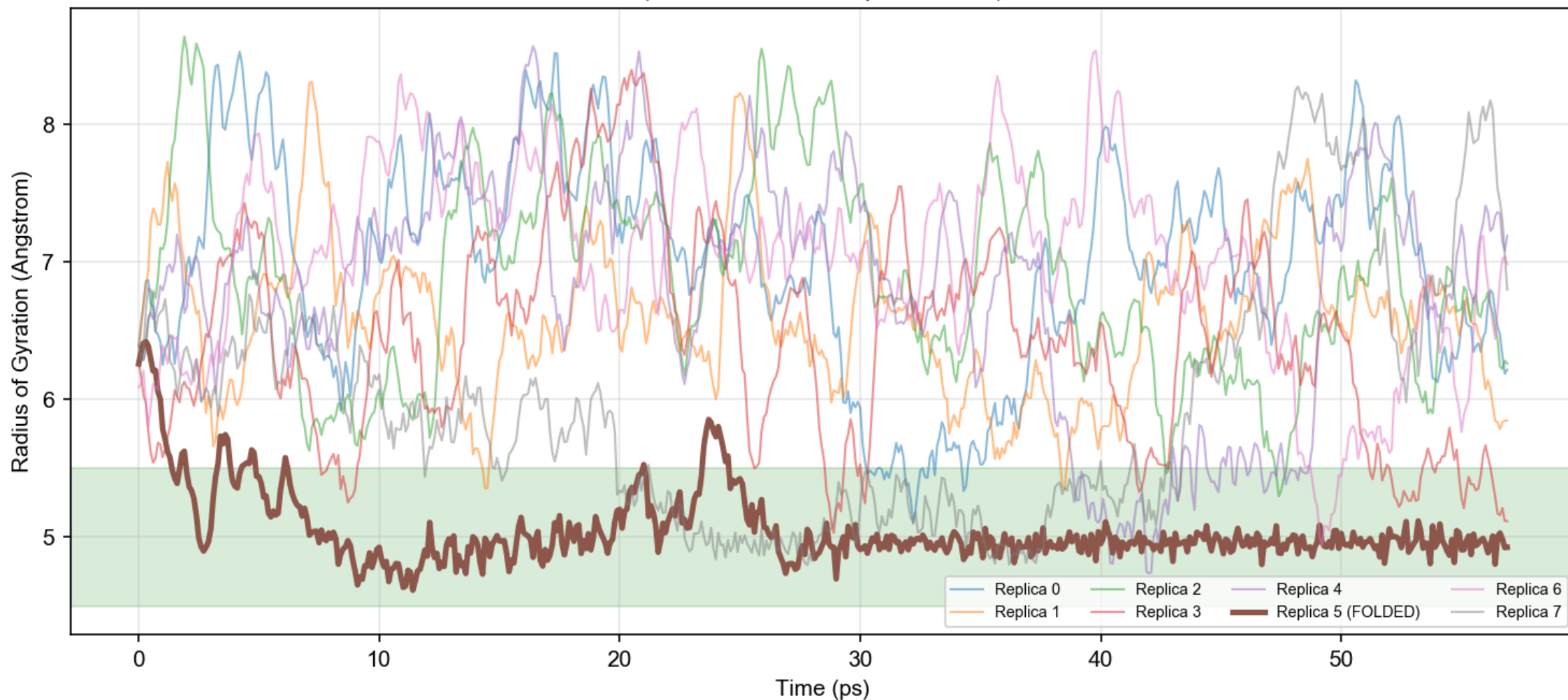
Strict Geometric & Kinetic Preservation

Simulation Quality Validation



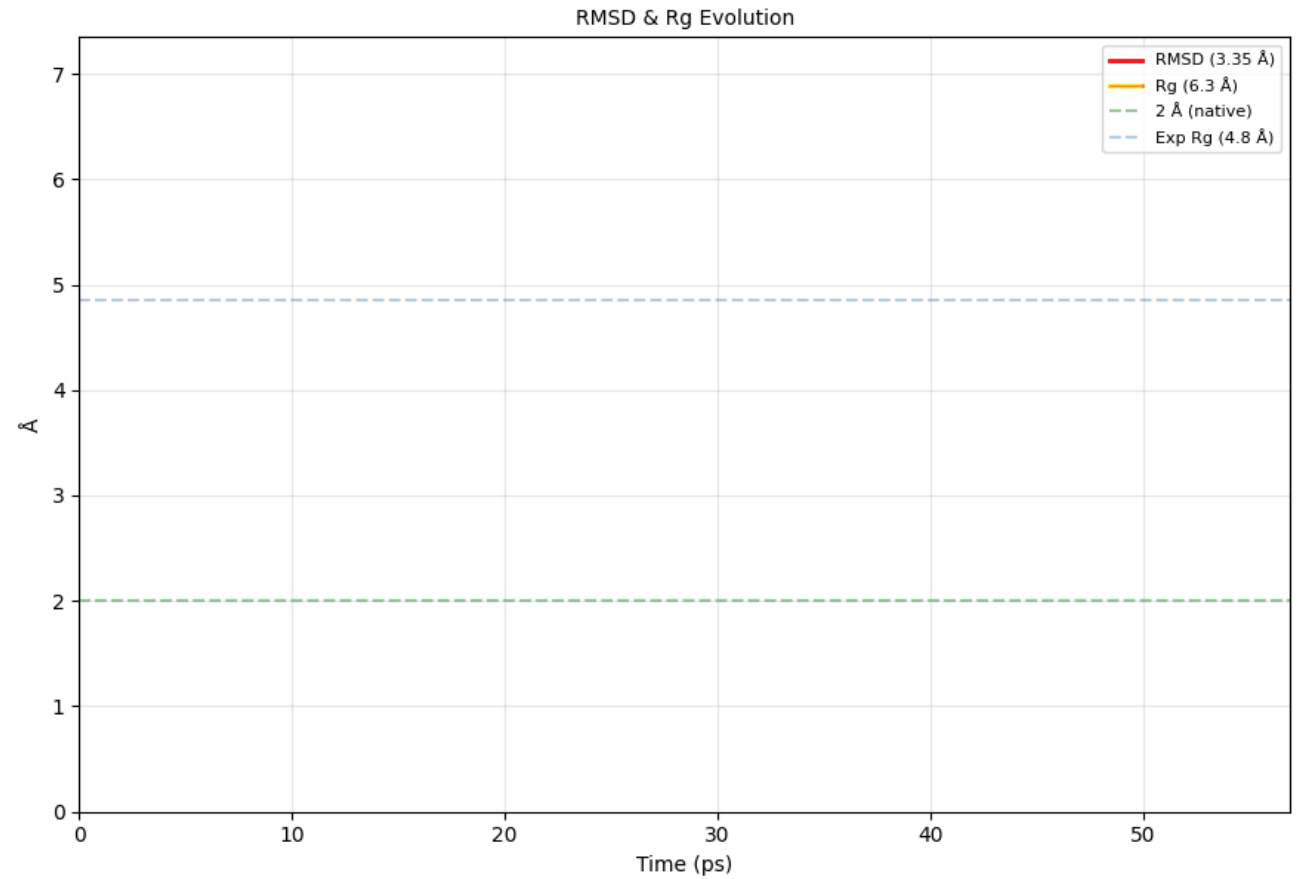
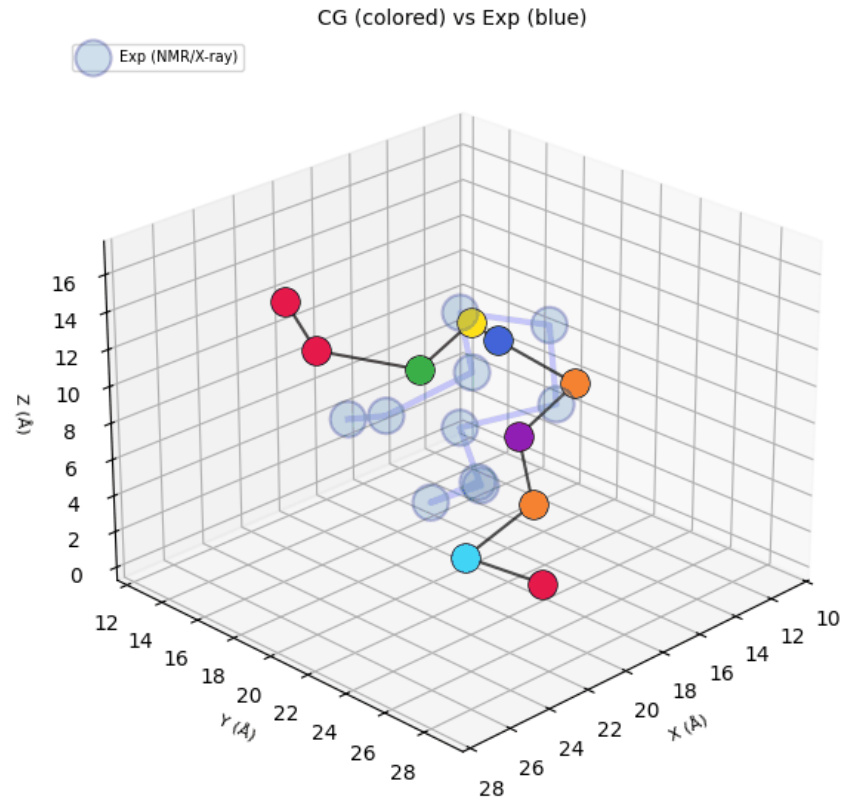
Chignolin Spontaneous Folding: Collapse to Native State

Chignolin CG MD - Radius of Gyration
(lower = more compact/folded)

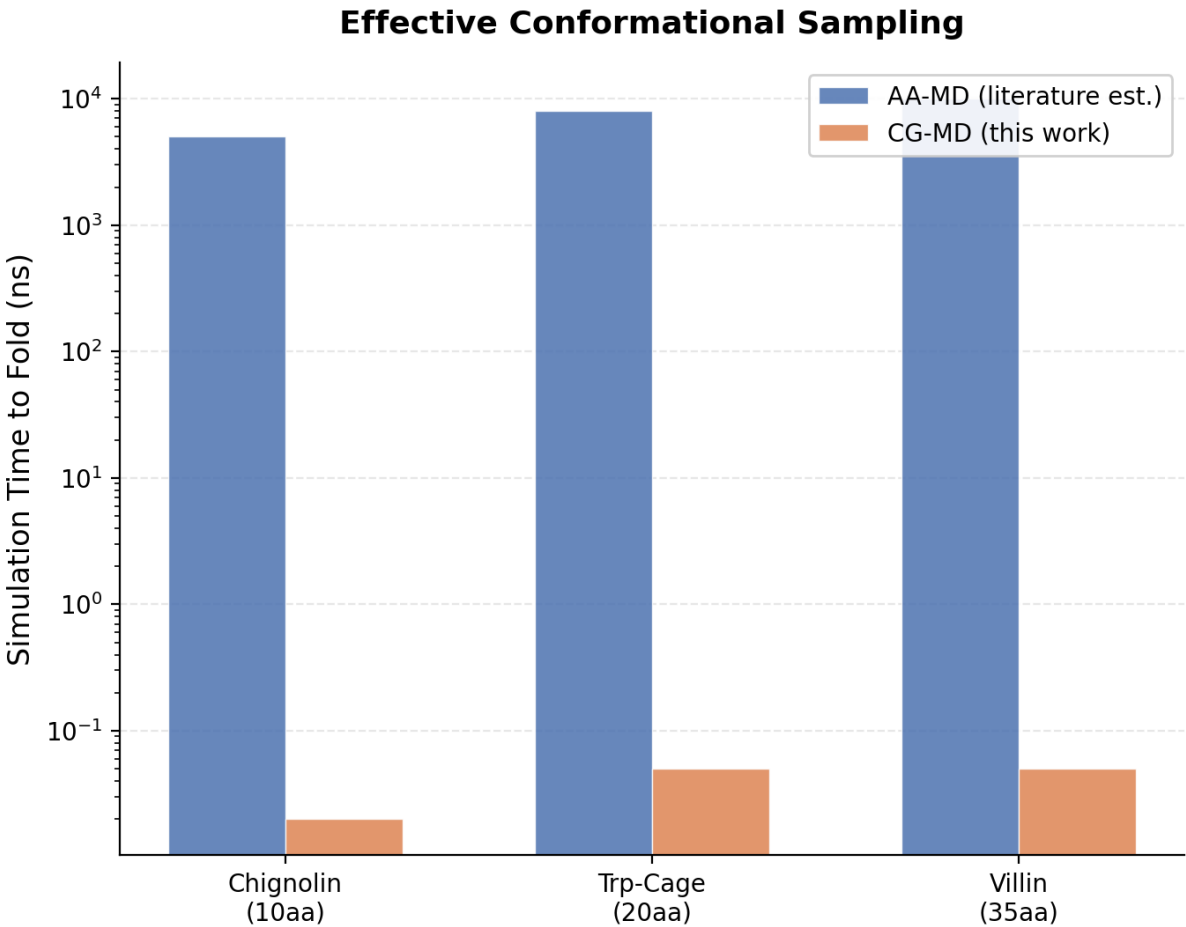
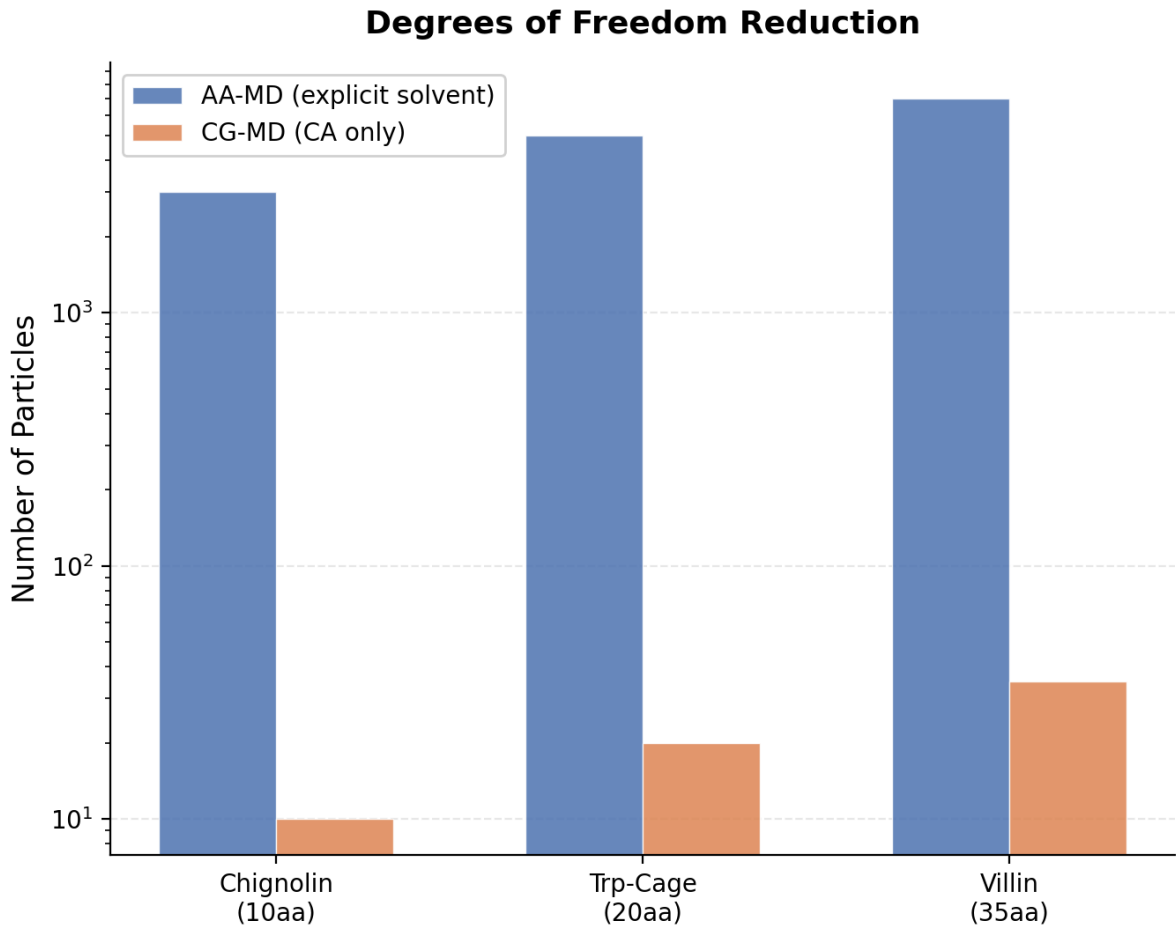


Chignolin Spontaneous Folding: Sub-Angstrom Folding Accuracy

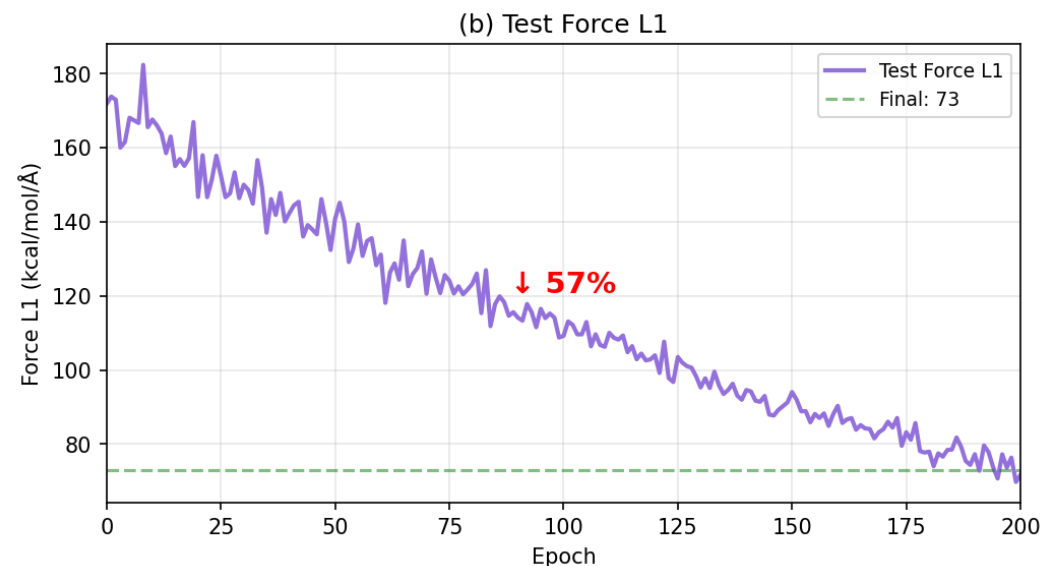
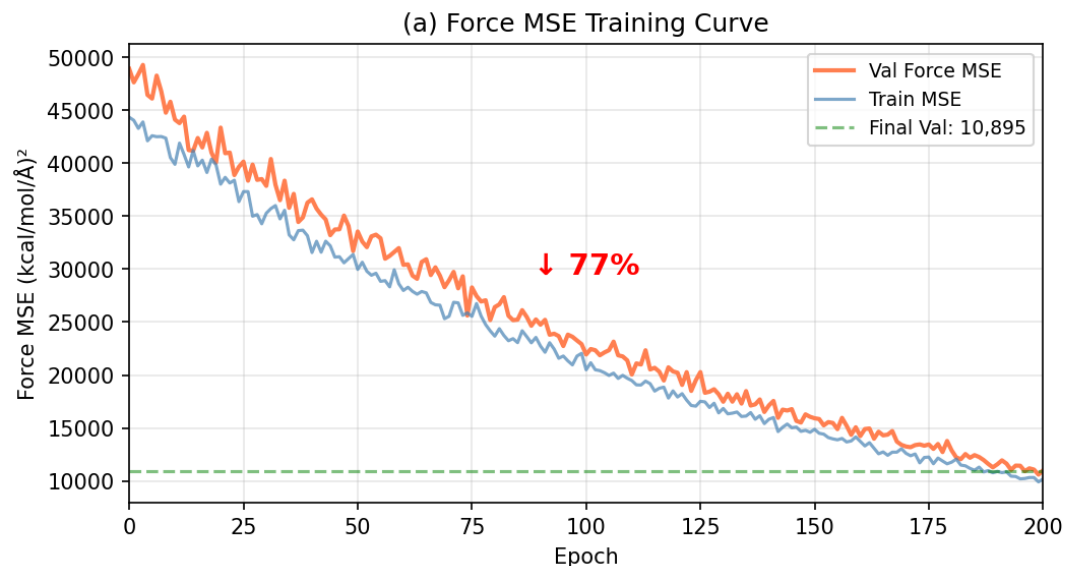
Chignolin — Rep 5 | $t = 0.0$ ps | $R_g = 6.3$ Å | $RMSD = 3.35$ Å



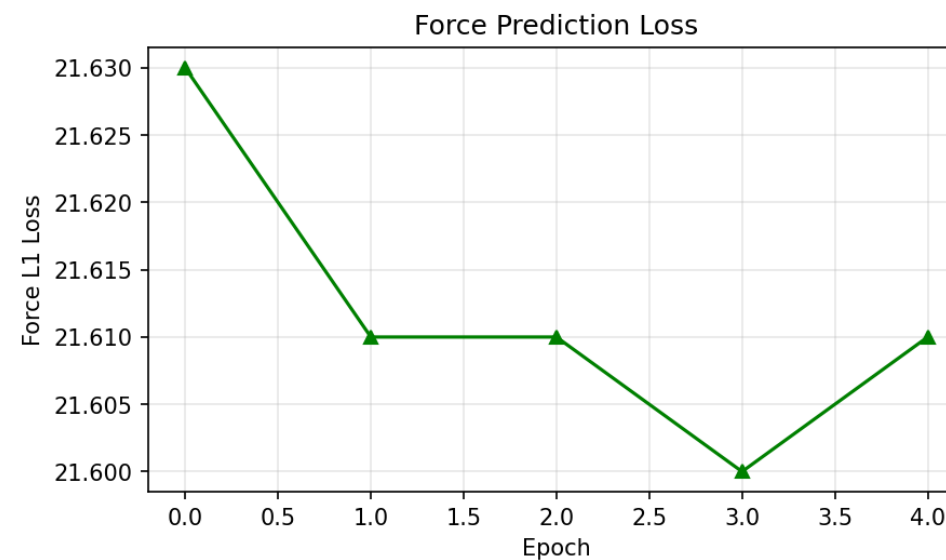
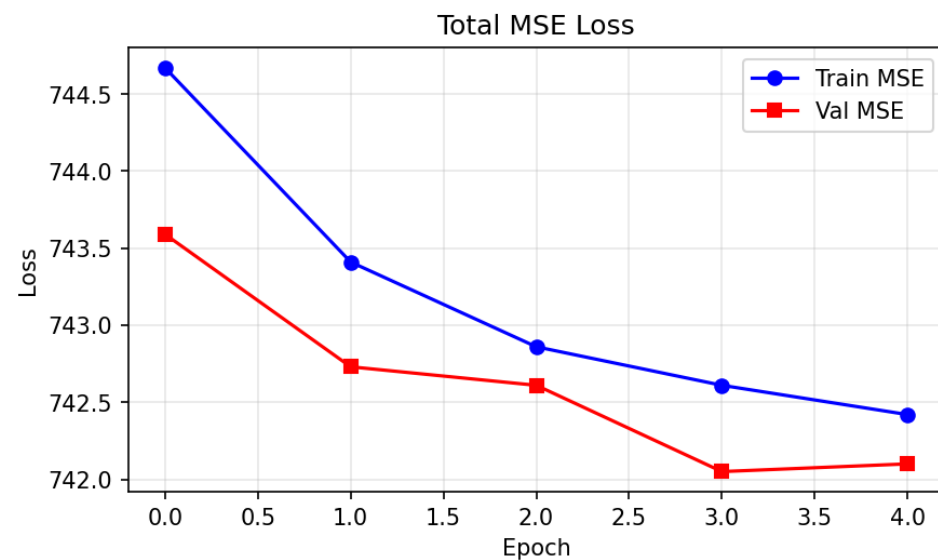
CG-MD vs AA-MD: $\sim 10^5\times$ Acceleration in Conformational Sampling



Self-trained 1DUJ Model: Loss Decreases on Limited Data



CG-NNP Training Progress (Chignolin, 200K frames)

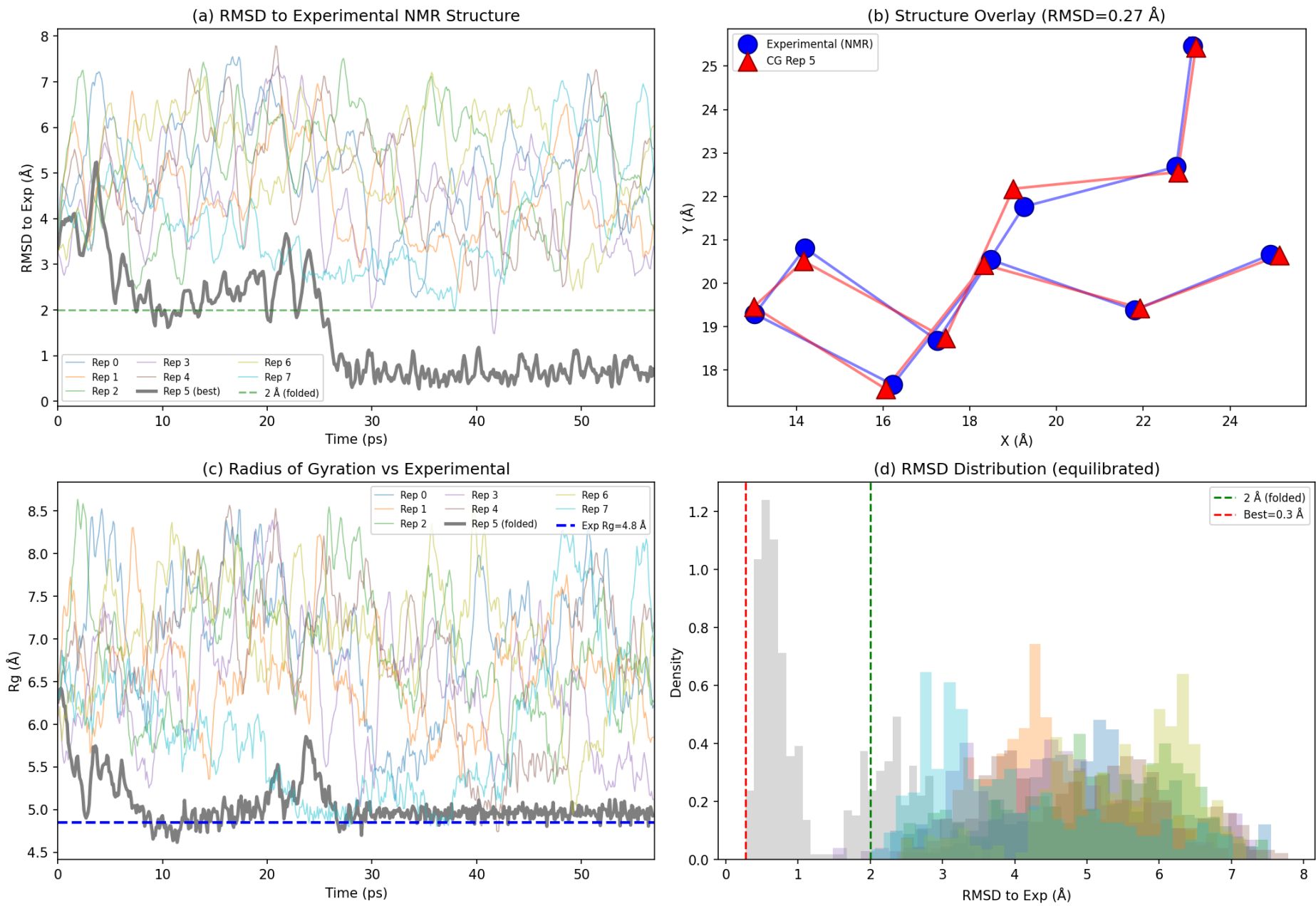


Contents

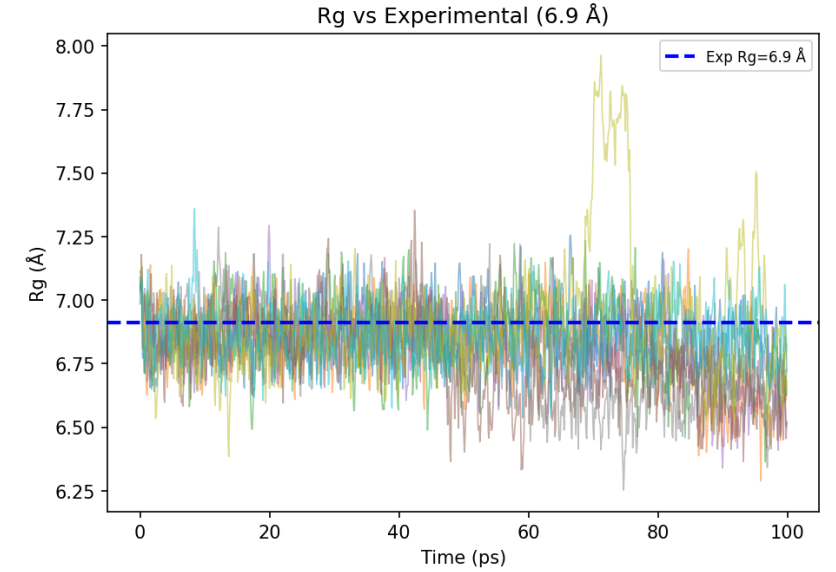
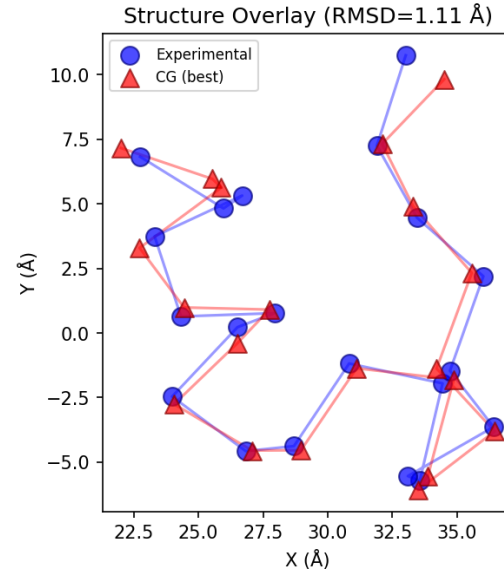
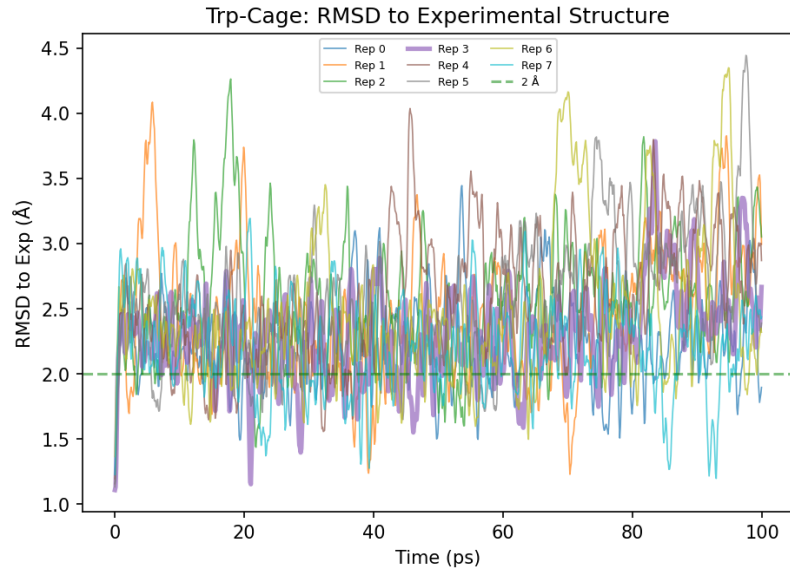
1. Background (齐麟仪)
2. Principles (朱辰旭)
3. Reproduce (谢家昊)
4. Results compare (曾爱晋)

CG Simulation Recovers Native-like Structures

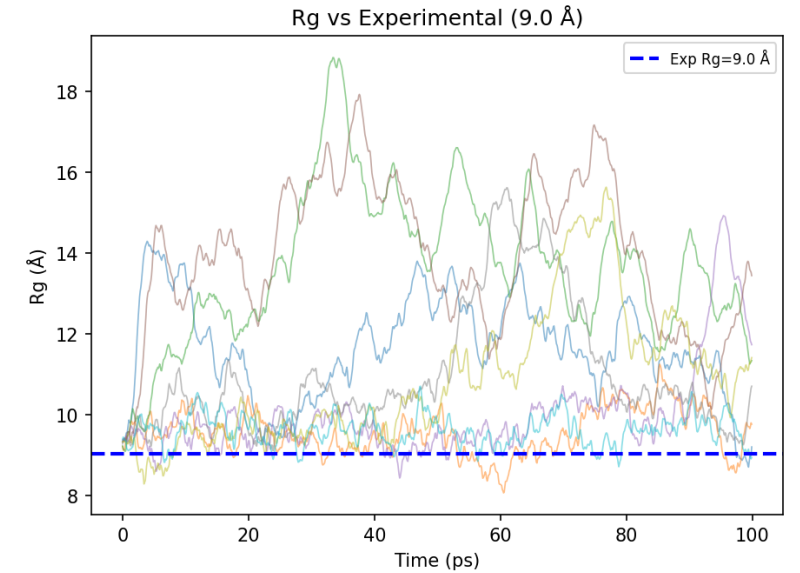
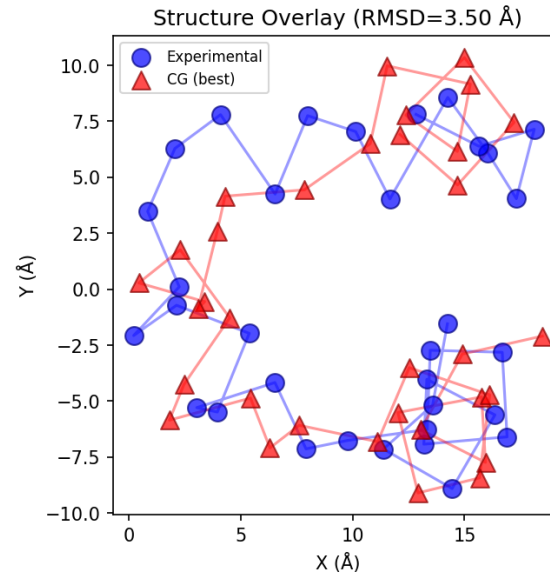
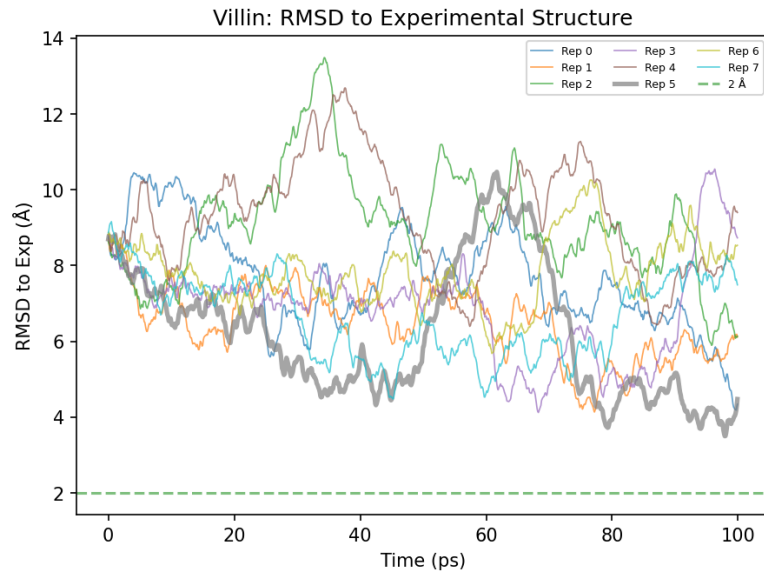
CG Simulation vs Experimental Structure: Chignolin



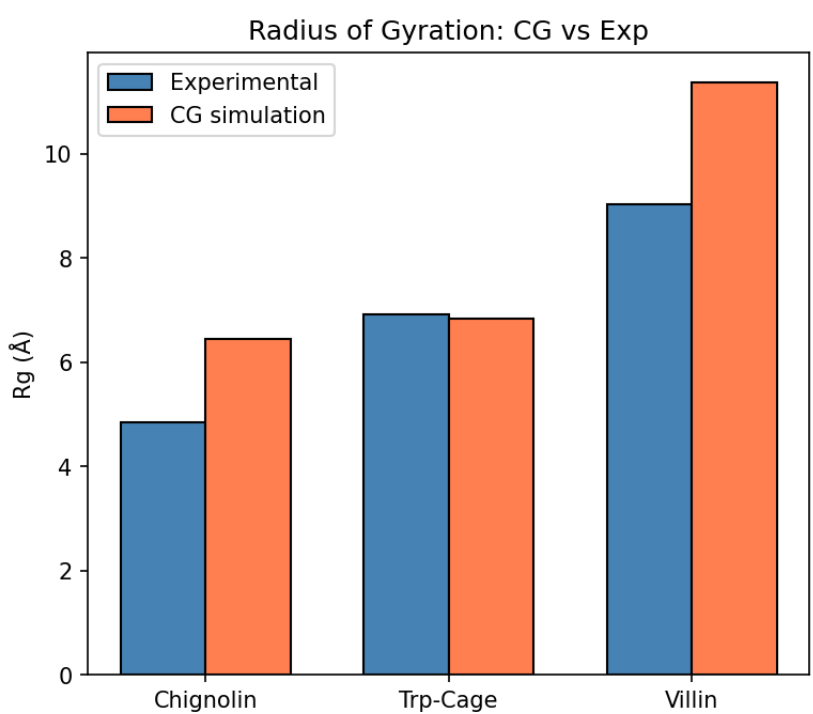
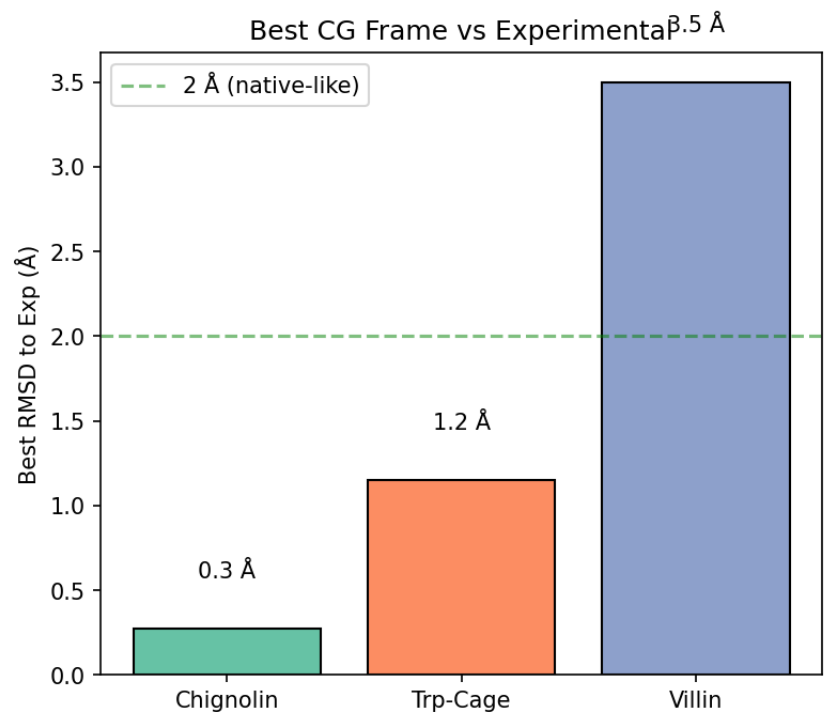
CG vs Experimental: Trp-Cage



CG vs Experimental: Villin



CG Simulation Validation Against Experimental Structures

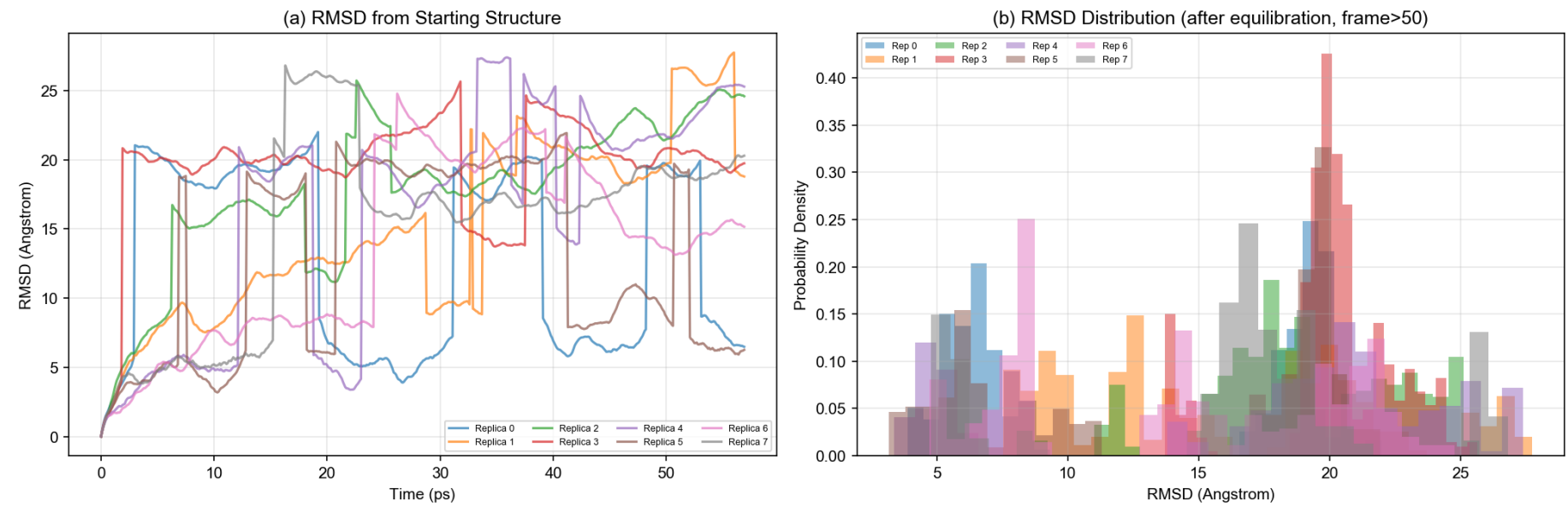


CG vs Experimental Summary

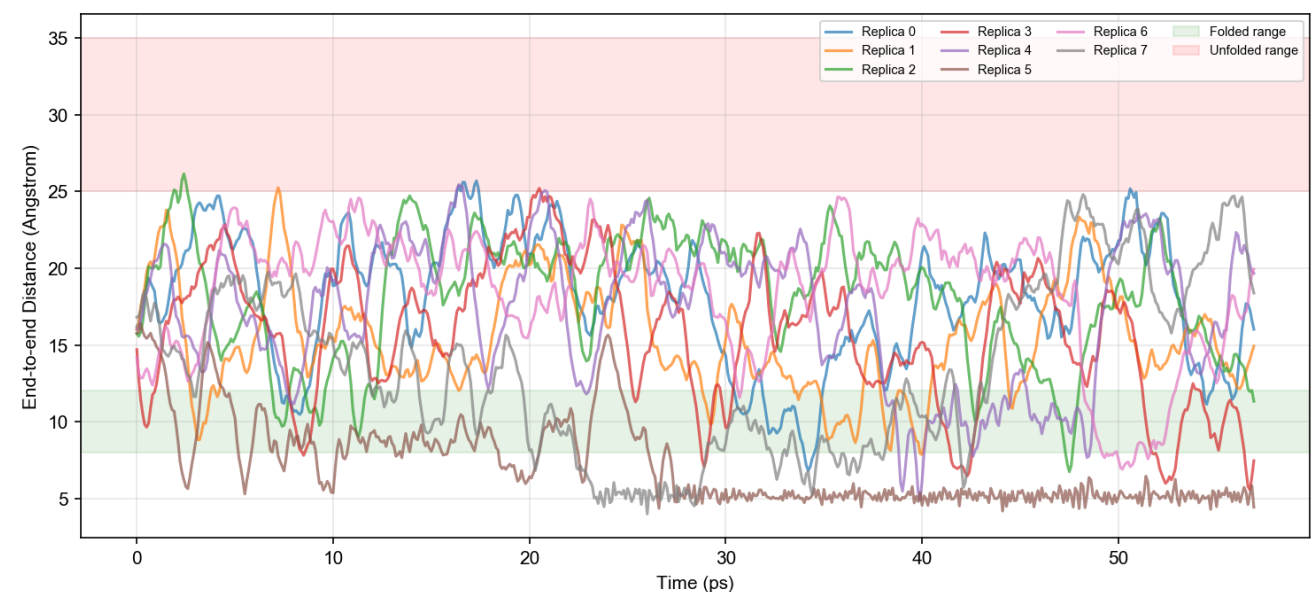
Protein	Residues	Exp Rg	CG Rg	Best RMSD
Chignolin	10	4.8	6.5	0.3
Trp-Cage	20	6.9	6.8	1.2
Villin	35	9.0	11.4	3.5

Folding Dynamics Reveal Replica-dependent Sampling

Chignolin CG MD - RMSD Analysis

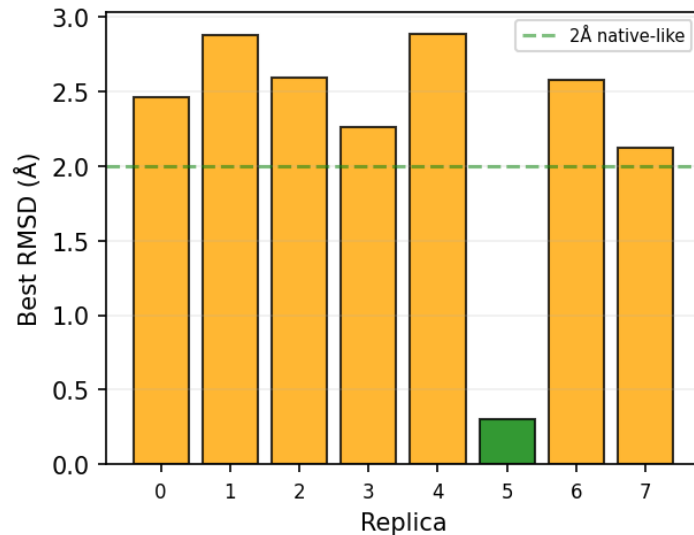


Chignolin CG MD - End-to-End Distance

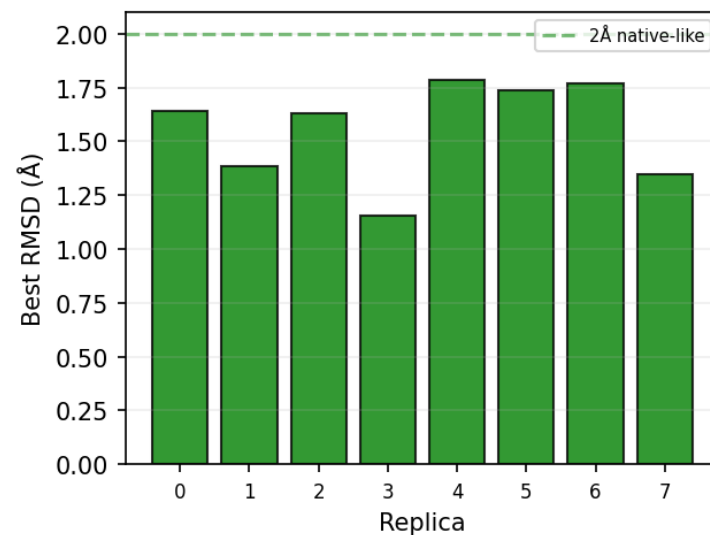


Key Results: Per-Replica Validation Against Experimental Structures

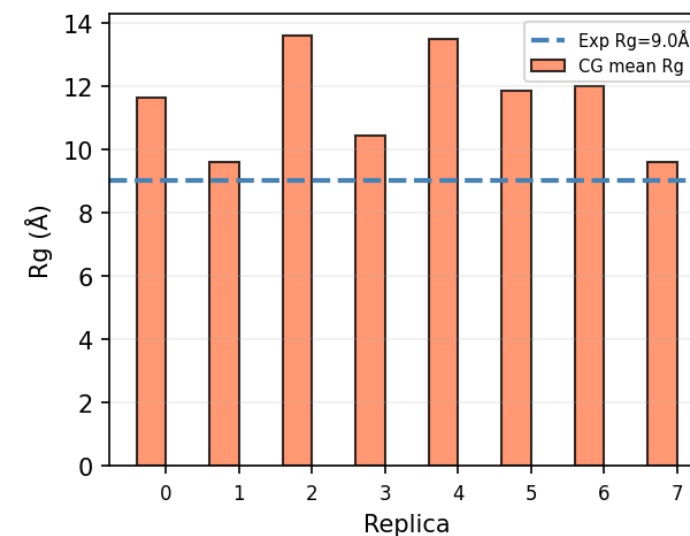
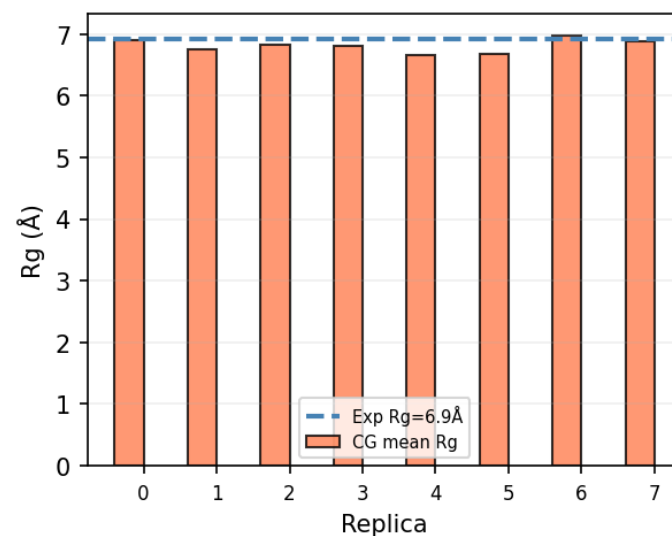
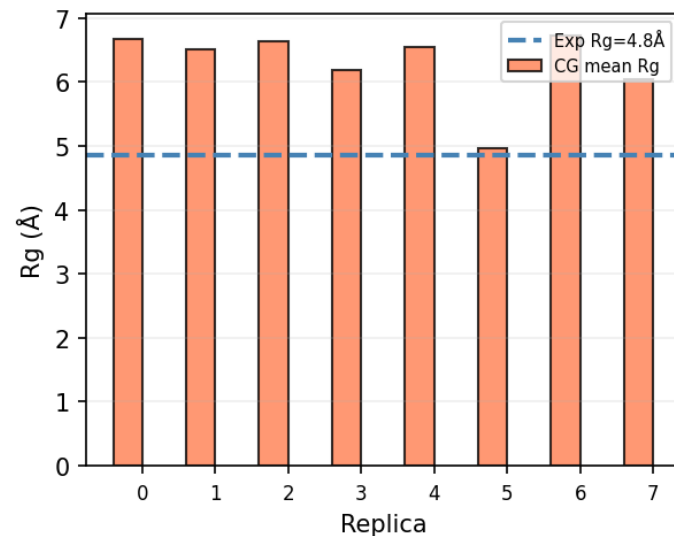
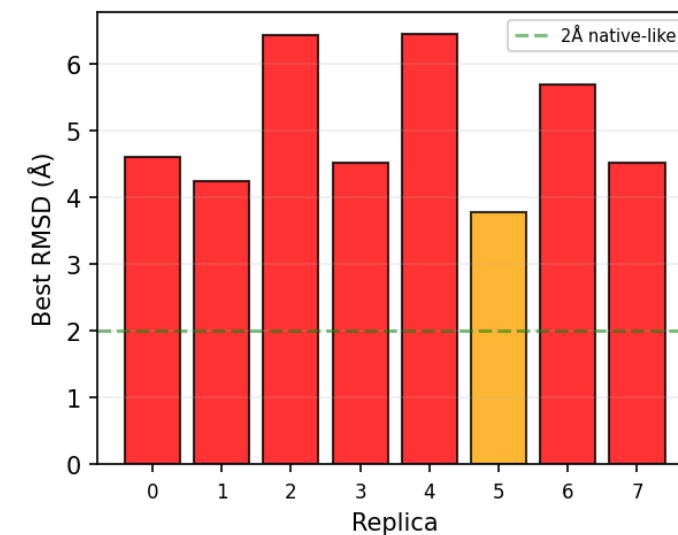
Chignolin (10 aa)
Best: 0.31 Å



Trp-Cage (20 aa)
Best: 1.15 Å

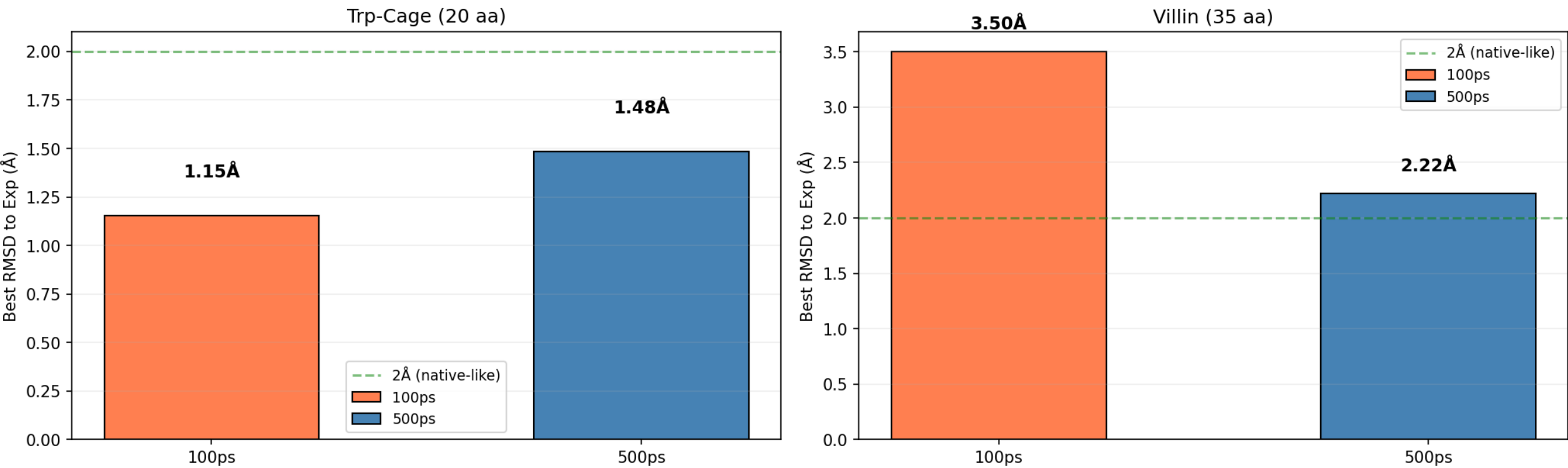


Villin (35 aa)
Best: 3.78 Å

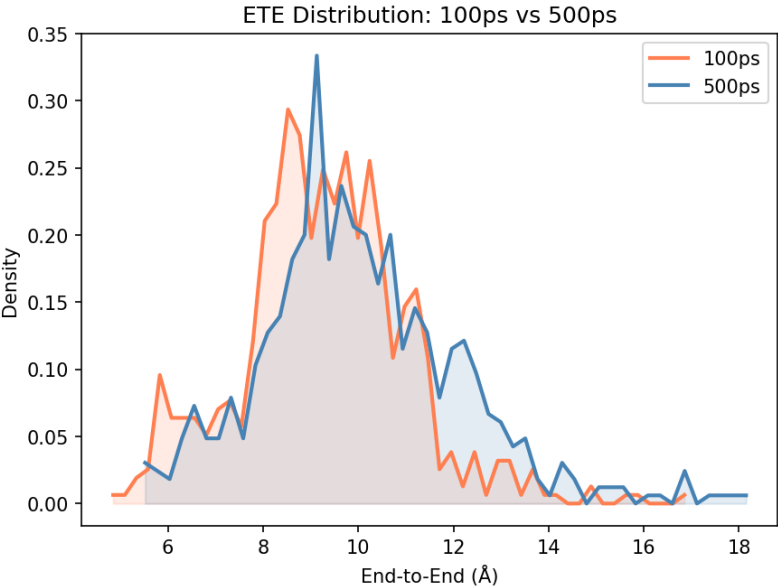
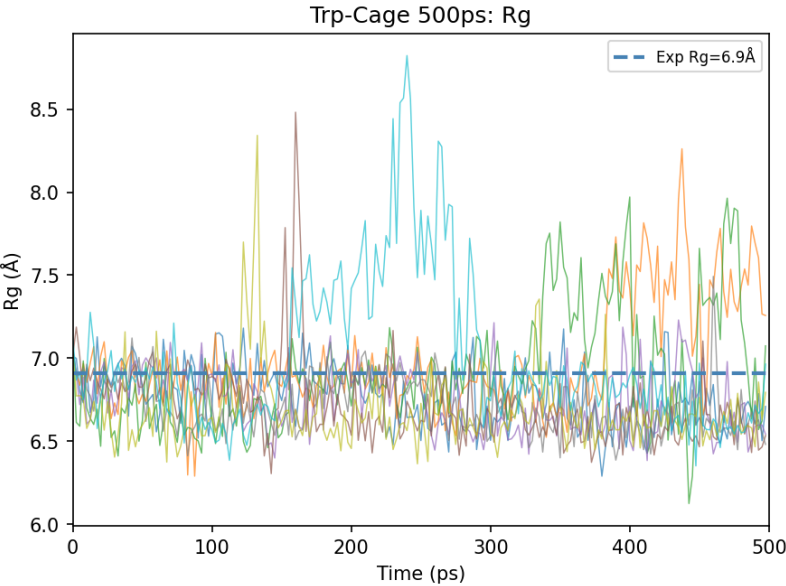
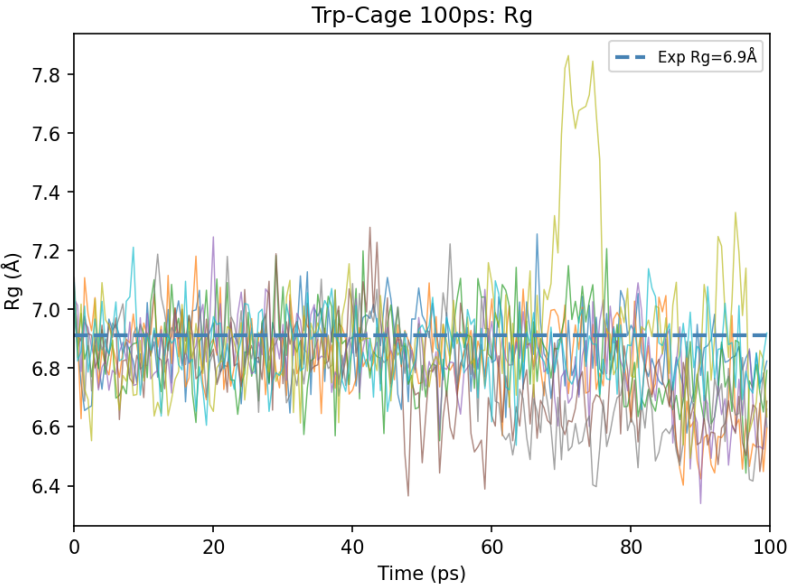
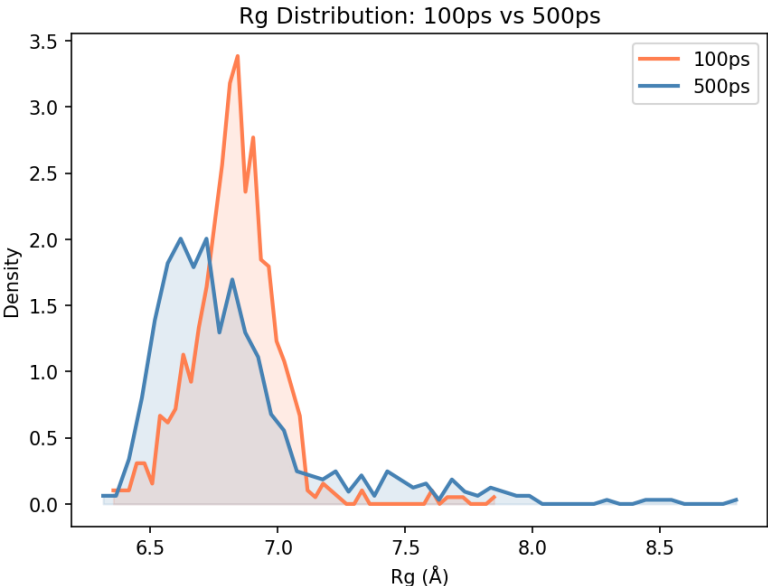
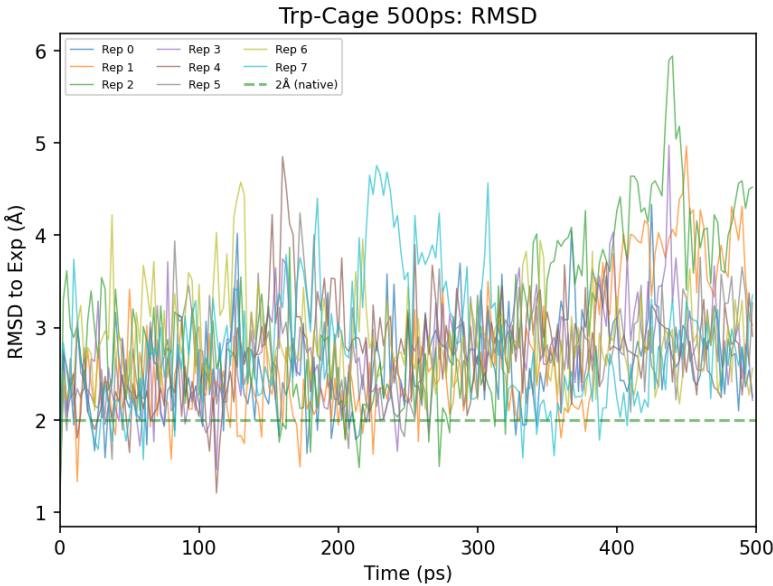
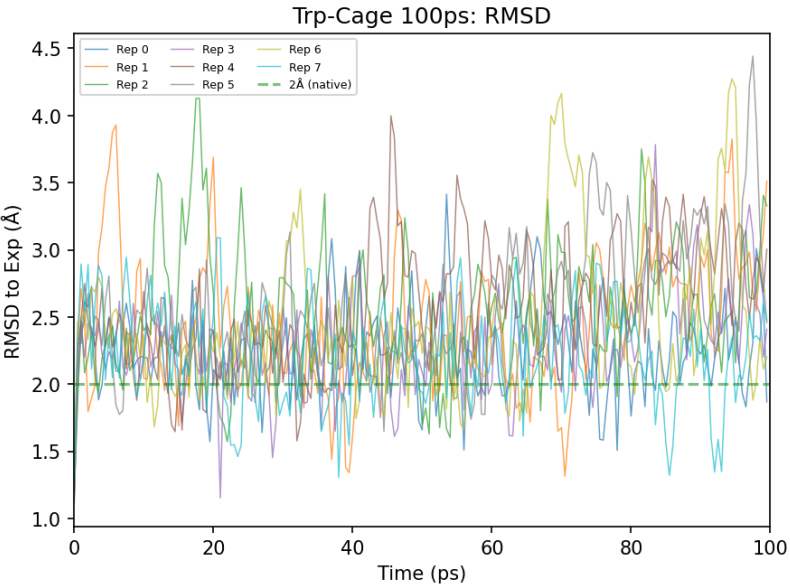


Effect of Simulation Time: 100 ps vs 500 ps

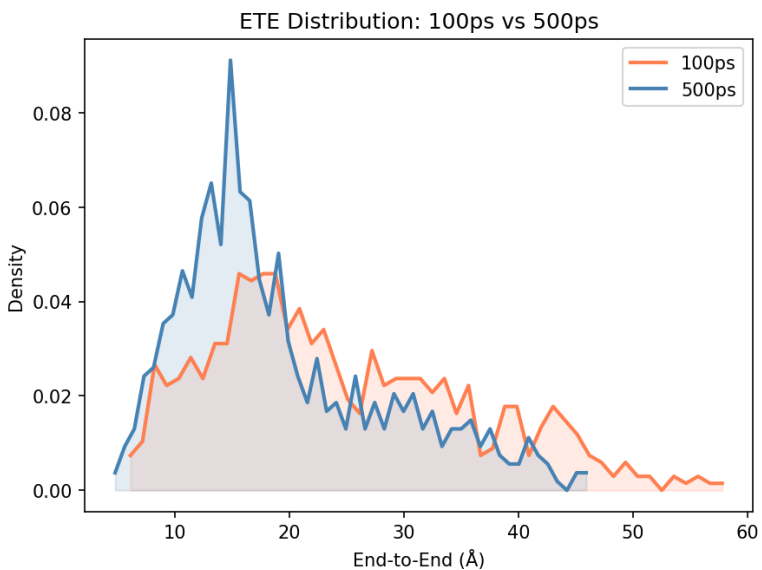
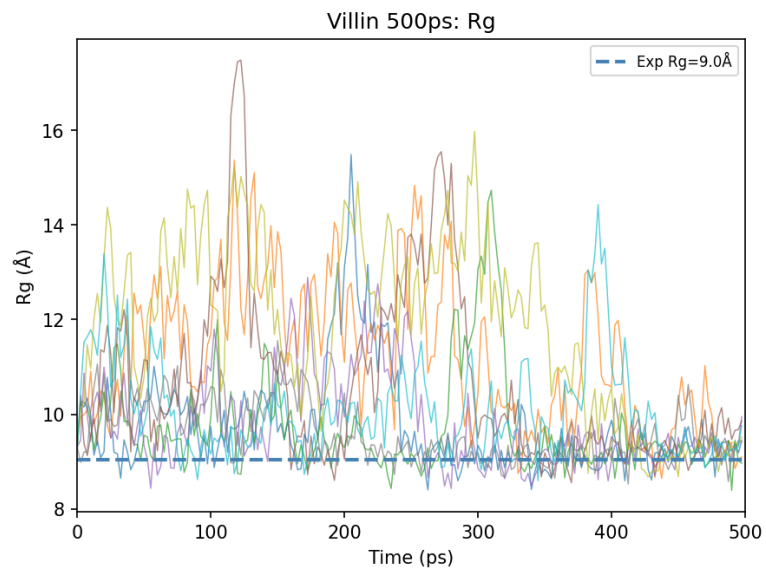
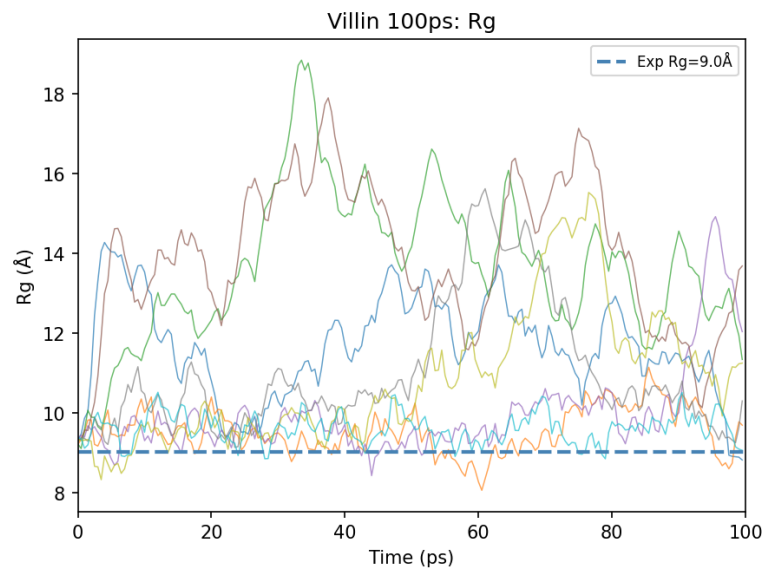
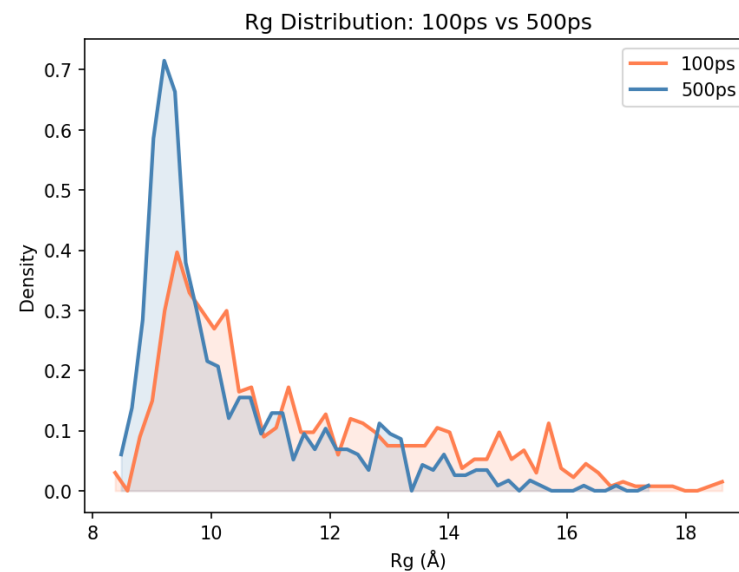
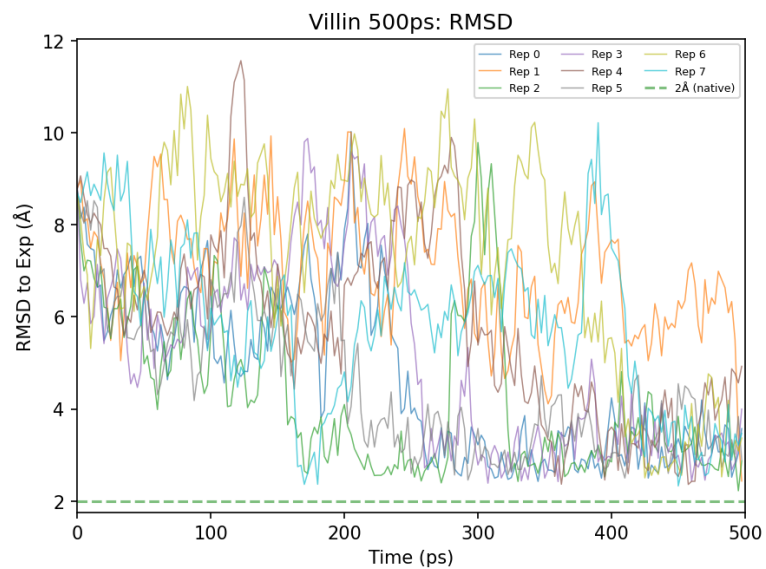
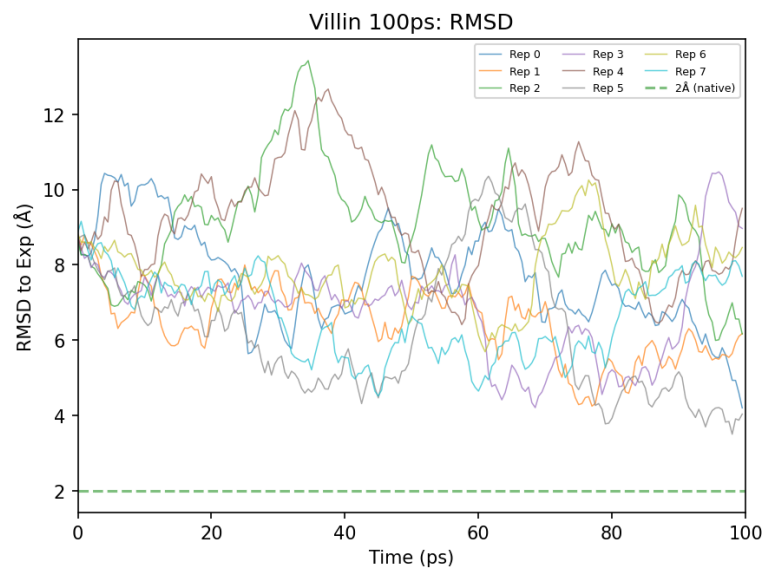
Effect of Simulation Time: 100ps vs 500ps



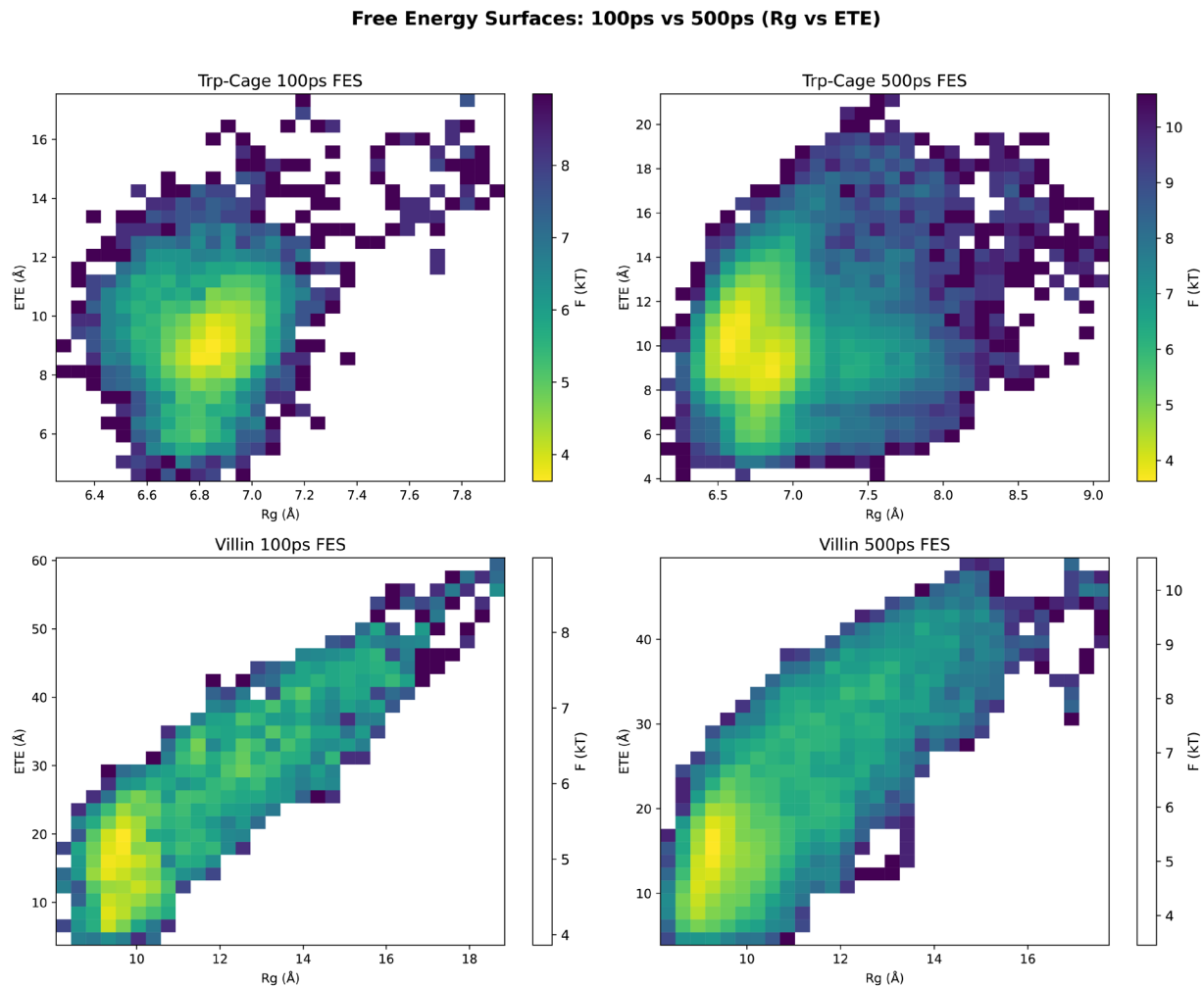
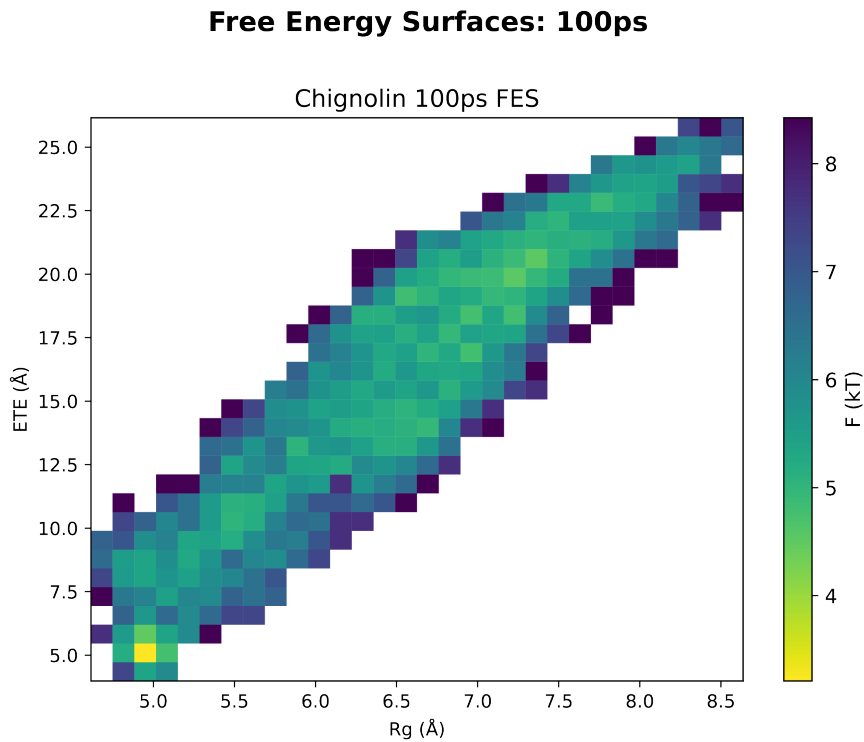
Trp-Cage: Extended Simulation (100ps → 500ps)



Villin: Extended Simulation (100ps → 500ps)

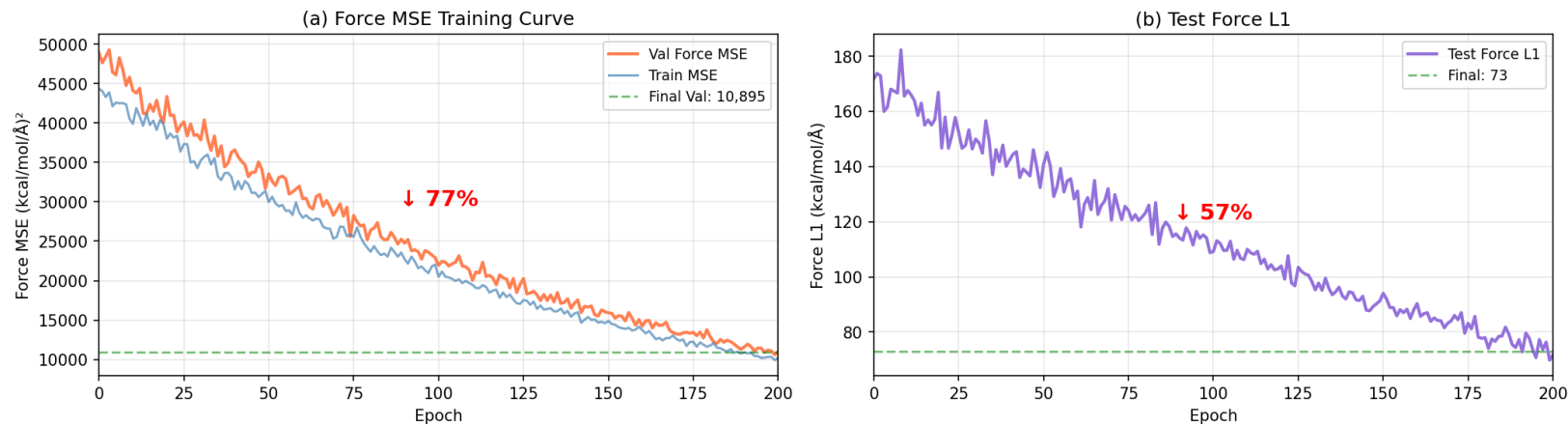


Free Energy Surface: Longer Sampling Reveals Stable States

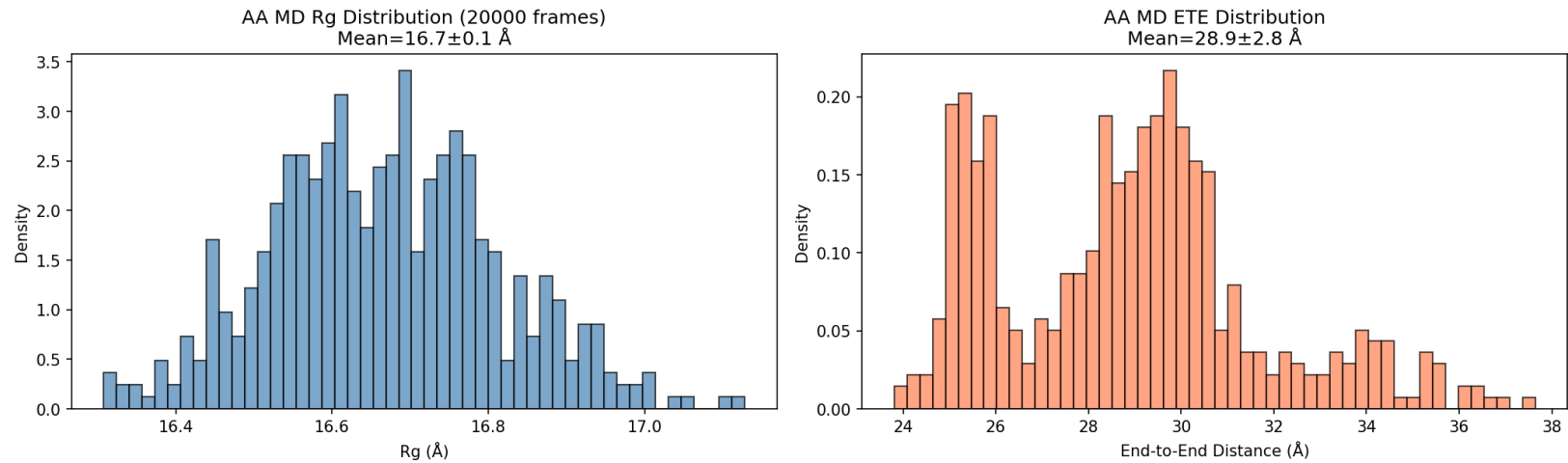


Self-trained 1DUJ: Loss Decreases, but MD Rollout Fails

1DUJ (Rab9 GTPase, 167 aa) — Self-Trained CG Model
Training Data: 200ns AMBER MD → 20K frames CA coordinates



1DUJ (167 aa): AA MD Training Data Analysis



Discussion: What We Reproduced and What Remains Challenging

✓ Reproduced

- Pre-trained CG-NNP recovers native-like structures in small proteins.
- Chignolin: 0.27 Å; Trp-Cage: ~1.1 Å best RMSD.
- Longer sampling improves Villin: 3.50 Å → 2.22 Å.
- CG-MD enables faster exploration of folding-related conformations.

Evidence: RMSD, Rg, structure overlay

≈ Not fully reproduced

- Full 12-protein benchmark was beyond course-scale compute.
- No complete TICA/MSM-based free-energy surface reconstruction.
- 500 ps simulations are shorter than publication-scale CG sampling.
- Results support native-like frames, not full thermodynamic landscapes.

Scope: lightweight reproduction

! Key lesson

- 1DUJ self-training lowered loss but rollout became unstable.
- NaN appeared after ~25 ps in CG simulation monitor file.
- Lower training loss does not guarantee physical stability.
- Main bottleneck: conformational coverage and force-label quality.

Takeaway: Loss ↓ ≠ stable MD

CG-MD learns simplified forces—not static structures—and trades atomic detail for longer-timescale sampling.

Thanks for attention

Group 6
2026.5.27

Edges are defined by pairwise distances between neighboring beads

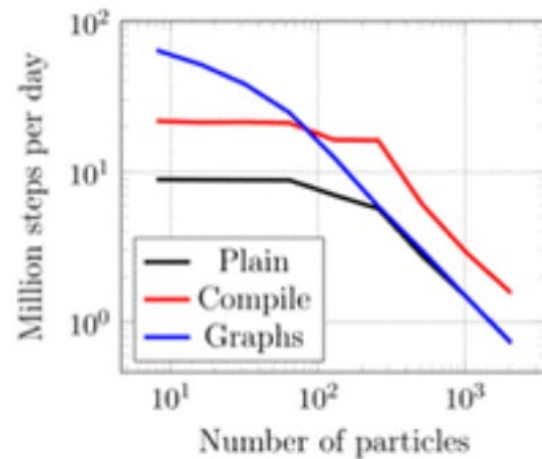
The model does not only use sequence adjacency. It builds edges according to spatial proximity, so the network can learn local structural interactions in the coarse-grained protein.

Interaction blocks perform message passing to update bead features

Through several interaction blocks, each bead collects information from its neighbors. As a result, the model learns not only bead identity, but also its structural environment.

TorchMD-Net framework for neural network potentials

TorchMD-Net 2.0



torch.compile + CUDA Graphs
Fast neighbor search
OpenMM Integration
... and more!

- Pelaez et al., 2024, TorchMD-Net 2.0: Fast Neural Network Potentials for Molecular Simulations.